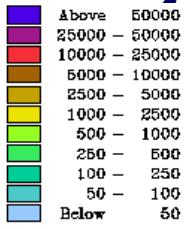


Block 2: Lectures 5 and 6

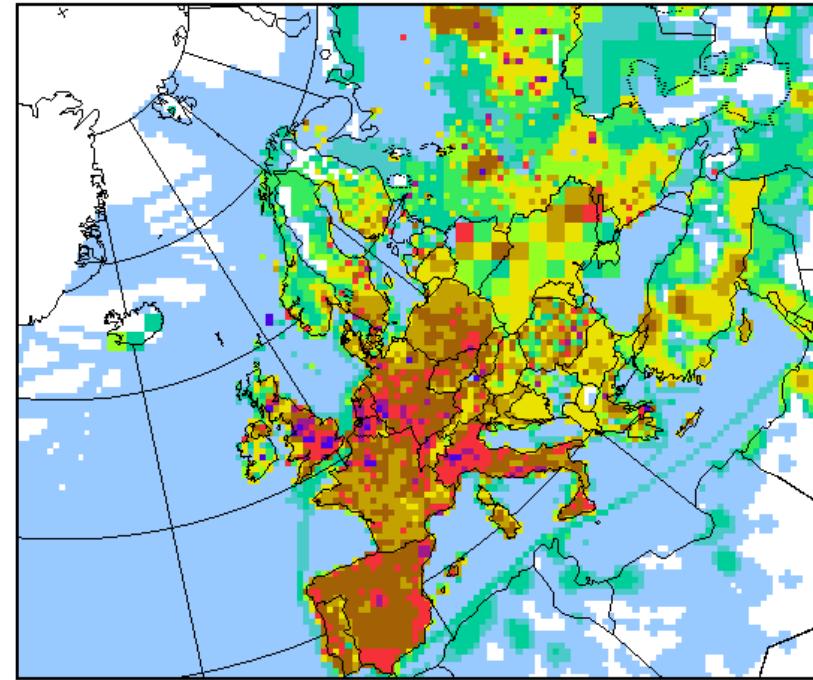
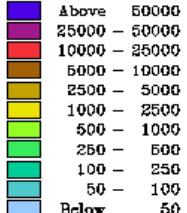
1. Implementation of Chemistry in ACTM:
 - A. Lumping of chemical mechanisms
 - B. How is the ODE for chemical mechanisms solved numerically
2. Liquid phase chemistry:
 - A. Basic reactions
 - B. Numerical problems to solve
3. Brief overview of ACTMs:
 - A. Examples – Chemical-Aerosol-Cloud (CAC) model, Enviro-HIRLAM

$50 \times 50 \text{ km}^2$ EMEP emission inventories

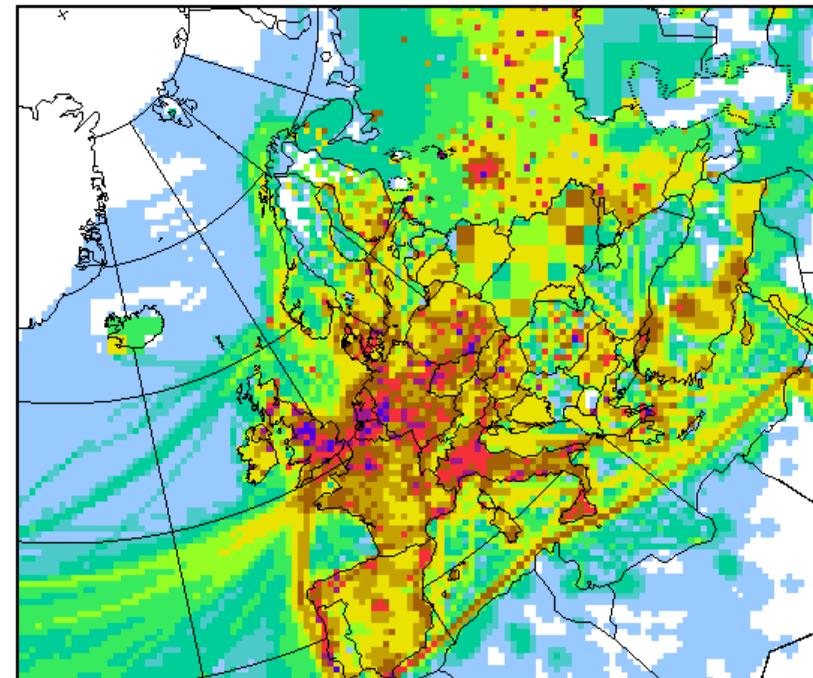
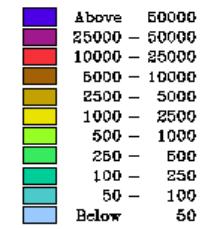
tonnes
of SO_2



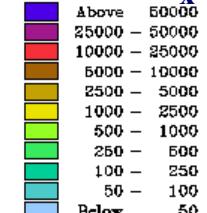
tonnes
of CO



tonnes of
NMVOC



tonnes
of NO_x



Typical VOC emissions in Europe

methane	pent-2-ene	2-methylpentane	m-ethyltoluene
ethane	pent-1-ene	2,2-dimethylbutane	p-ethyltoluene
propane	butylene	2-methylhexane	1,2,3-trimethylbenze
n-butane	acetylene	methylheptanes	1,2,4-trimethylbenze
i-butane	benzene	methyloctanes	1,3,5-trimethylbenzene
n-pentane	toluene	2-methylbut-1-ene	formaldehyde
i-pentane	o-xylene	3-methylbut-1-ene	acetaldehyde
n-hexane	m-xylene	2-methylbut-2-ene	propionaldehyd
n-heptane	p-xylene	methylnonanes	butyraldehyde
n-octane	methanol	n-undecane	i-butyraldehyde
n-nonane	ethanol	3-methylpentane	valeraldehyde
n-decane	acetone	2,3-dimethylbutane	benzaldehyde
n-dodecane	methylethylketone	3-methylhexane	n-butyl-acetate
ethylene	methylisobutylketone	ethylbenzene	i-butyl-acetate
propylene	methyl-acetate	n-propylbenzene	methane-chloroform
but-1-ene	ethyl-acetate	i-propylbenzene	methyl-chloroform
but-2-ene	i-propyl-acetate	o-ethyltoluene	tetrachloroethylene



Application of Chemistry in Atmospheric –Chemical Transport Models

Problems:

- A “Complete Mechanism” would require tens of thousands of chemical species and reactions.
- The reaction mechanisms and rates are not known for most of these.
- The ordinary differential equation for chemical mechanisms is very stiff, i.e. numerical standard methods are not applicable (described in Part 1.B).

Application of Chemistry in Atmospheric –Chemical Transport Models

Way of solving it:

- Using lumped chemical mechanism (described in Part 1).
- Use a fast solver (described in Part 1.B).

Part 1.A:

Lumping of chemical mechanisms



Lumped Atmospheric Chemical Mechanisms

Mech. Abbreviation	Developed in	Number of Species	Reactions
ADOM-11	USA	47	114
CB-IV	USA	27	63
RADM2	USA	63	158
SAPRC-90	USA	60	155
EMEP	Europe	79	141
RACM	USA	77	237
SAPRC-99	USA	74	211
CB-05	USA	52	156

What is a lumped mechanisms?



Reducing comprehensive chemical mechanism into families with same chemistry.

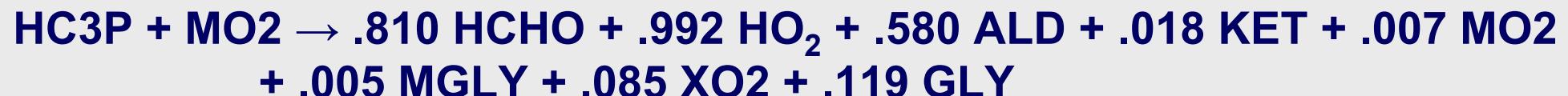
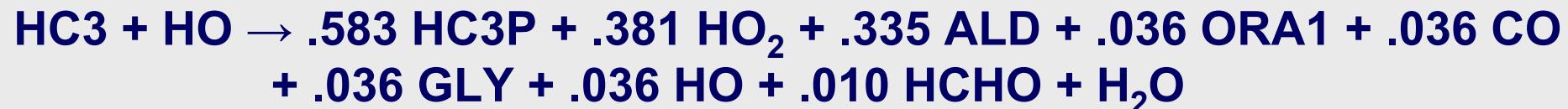
Example RACM developed by W.R. Stockwell:

Reactivity weighting: account for the differences in the reactivity between chemical and model species.

It is based on the assumption that the effect of an emitted chemical species on a simulation is approximately proportional to the amount of the compound that reacts with HO on a daily basis.



Alkane chemistry in RACM



Lumped Species in RACM

Alkanes:

CH4 (1.0)
ETH (2.0)
HC3 (2.9)

methane
ethane
alkanes, alcohols, esters and alkynes with HO rate constant (298 K, 1 atm) less than $3.4 \times 10^{-12} \text{ cm}^3\text{s}^{-1}$

HC5 (4.8)

alkanes, alcohols, esters and alkynes with HO rate constant (298 K, 1 atm) between $3.4 \times 10^{-12} \text{ cm}^3\text{s}^{-1}$ and $6.8 \times 10^{-12} \text{ cm}^3\text{s}^{-1}$

HC8 (7.9)

alkanes, alcohols, esters and alkynes with HO rate constant (298 K, 1 atm) greater than $6.8 \times 10^{-12} \text{ cm}^3\text{s}^{-1}$

Alkenes:

ETE (2.0) - OLT (3.8) - OLI (5.0)
DIEN (4.0)

Stable Biogenic Alkenes: ISO (5.0) - API (10.0)
LIM (10.0)

Aromatics: TOL (7.1) - XYL (8.9) - CSL (6.6)

Carbonyls: HCHO (1.0) - ALD (2.4) - KET (3.5)
GLY (2.0) - MGLY (3.0) - DCB (4.2)
MACR (4.0) - UDD (4.2) - HKET (3.0)

Organic Nitrogen: ONIT (4.0) - PAN (2.0)
TPAN (4.0)

Organic Peroxides: OP1 (1.0) - OP2 (2.0)
PAA (2.0)

Organic Acids: ORA1 (1.0) - ORA2 (2.0)

Peroxy Radicals From Alkanes:

MO2 (1.0)	methyl peroxy radical
ETHP (2.0)	peroxy radical formed from ETH
HC3P (2.9)	peroxy radical formed from HC3
HC5P (4.8)	peroxy radical formed from HC5
HC8P (7.9)	peroxy radical formed from HC8

Peroxy Radicals From Alkenes: ETEP (2.0)
OLTP (3.8) - OLIP (4.8)

Peroxy Radicals From Biogenic Alkenes:

ISOP (5.0) APIP (10.0) - LIMP (10.0)

Radicals Produced From Aromatics: PHO (6.6)
ADDT (7.1) - ADDX (8.9) - ADDC (6.6)
TOLP (7.1) - XYLP (8.9) - CSLP (6.6)

Peroxy Radicals With Carbonyl Groups:

ACO3 (2.0) - TCO3 (4.0) - KETP (3.9)

Other Peroxy Radicals: OLNN (3.0) - OLND (3.0)
XO2

Simple Example of Reactive Weighting

We have	$\text{HYD1} + \text{HO} \rightarrow \text{PROD1}$	k_1
	$\text{HYD2} + \text{HO} \rightarrow \text{PROD2}$	k_2
we want	$\text{HYDR} + \text{HO} \rightarrow a \text{ PROD1} + b \text{ PROD2}$	k_3
where	$[\text{HYDR}] = [\text{HYD1}] + [\text{HYD2}], \text{ and } [\text{PROD}_i]^0 = 0$	
The differential eqs.	$d[\text{HYDi}] / dt = - d[\text{PRODi}] / dt = - k_i [\text{HYDi}] [\text{HO}]$ $d[\text{HYDR}] / dt = - k_3 [\text{HYDR}] [\text{HO}]$	
The solutions	$[\text{PRODi}] = [\text{HYDi}]^0 \{1 - \exp(-k_i \int [\text{HO}] dt)\}$	

Assumption 1: reaction 1 and 2 are weighted according to reactivity, i.e.

$$a = [\text{PROD1}] / ([\text{PROD1}] + [\text{PROD2}]), \quad b = [\text{PROD2}] / ([\text{PROD1}] + [\text{PROD2}])$$

Assumption 2: the loss rate of the lumped compound, HYDR, is the same as that of the unlumped compounds, HYD1 and HYD2, i.e.

$$k_3 = a k_1 + b k_2$$

$$a = [\text{HYD1}]^0 \{1 - \exp(-k_1 \int [\text{HO}] dt)\} / ([\text{HYD1}]^0 \times \{1 - \exp(-k_1 \int [\text{HO}] dt)\} + [\text{HYD2}]^0 \{1 - \exp(-k_2 \int [\text{HO}] dt)\})$$

$$b = 1 - a$$

General Example:



•

•

•

•

•

•



k_1

k_2

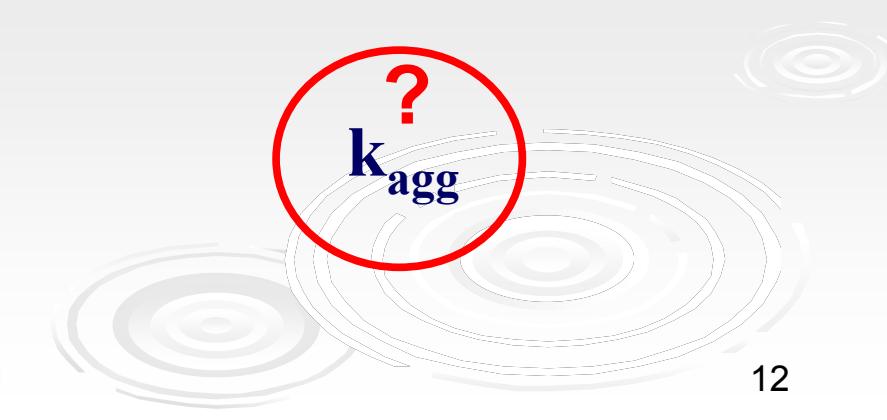
k_n

Become:



where

$$[R_{\text{agg}}] = \sum \text{agg}_i [R_i]$$



New rates:

$$k_{agg} = \sum \frac{\int agg_i [R_i] [Reac] dt}{\int [R_{agg}] [Reac] dt}$$

New products yields:

$$v_{agg,j} = \frac{\sum \int v_{i,j} k_i [R_i] [Reac] dt}{\sum \int agg_i k_i [R_i] [Reac] dt}$$

Aggregation of Organic Compounds

- the similarity of chemical reactivity within the organic functional groups, and the reactivity of the organic compounds with HO.

$$\text{agg}_i = \{ 1 - \exp(-k_{i,\text{HO}} \int [\text{HO}] dt) \} / \{ 1 - \exp(-k_{m,\text{HO}} \int [\text{HO}] dt) \}$$

where

$$k_{m,\text{HO}} = \{ \sum_{\text{cat} \in m} E_{\text{cat}} k_{\text{cat},\text{HO}} \} / \{ \sum_{\text{cat} \in m} E_{\text{cat}} \}$$

$$E_{\text{cat}} = \sum_{\text{cat} \in m} E_i$$

$$k_{\text{cat},\text{HO}} = \{ \sum_{i \in \text{cat}} E_i k_{i,\text{HO}} \} / \{ \sum_{i \in \text{cat}} E_i \}$$

E_i : emission rate of specie i

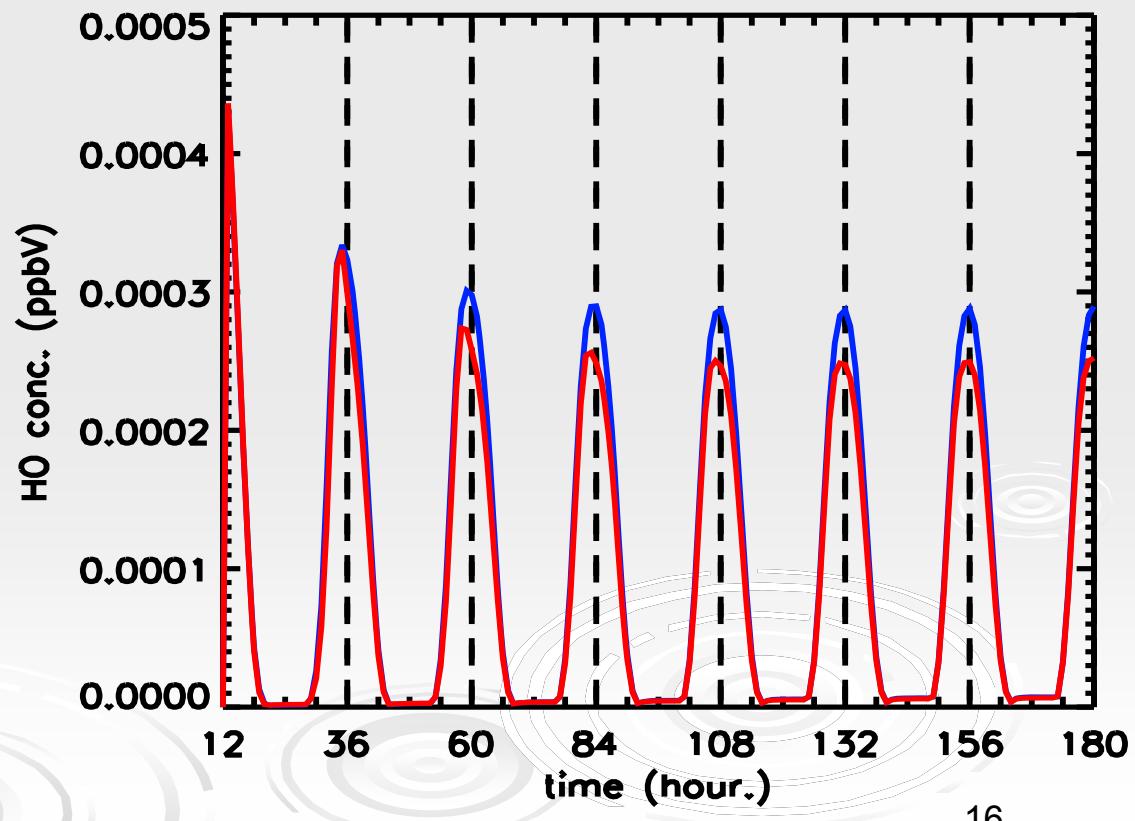
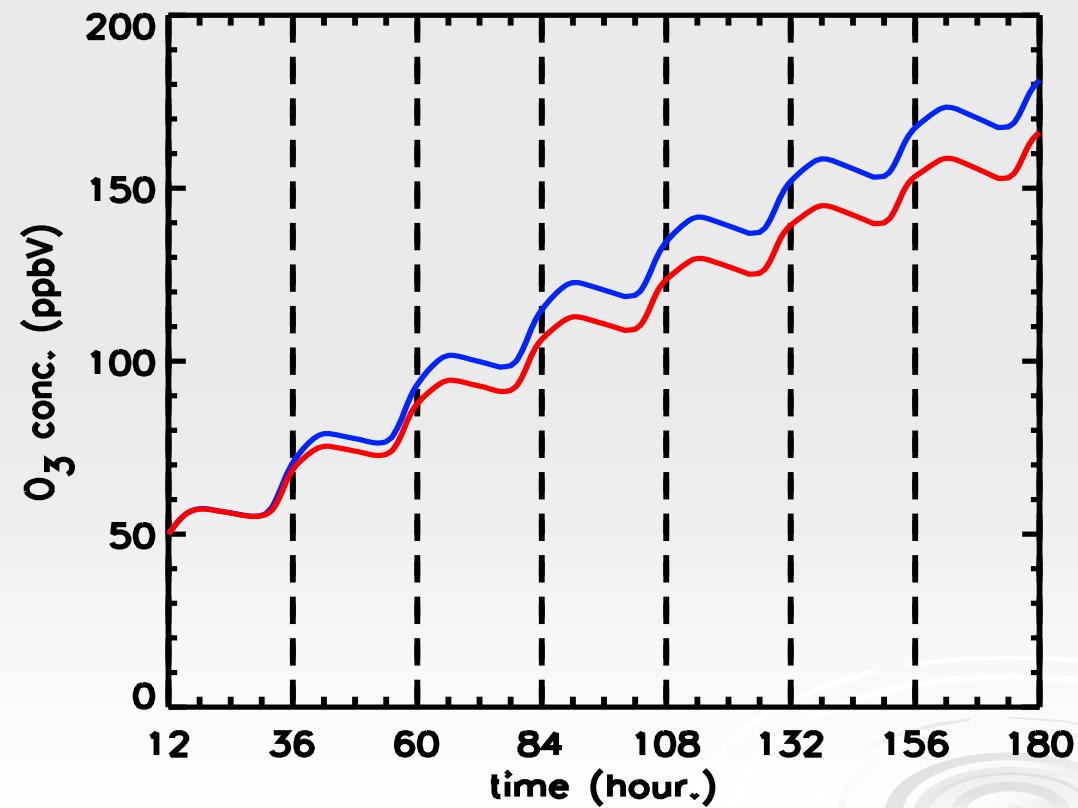
$k_{i,\text{HO}}$: rate constant of specie i with HO

Plume Case Simulations

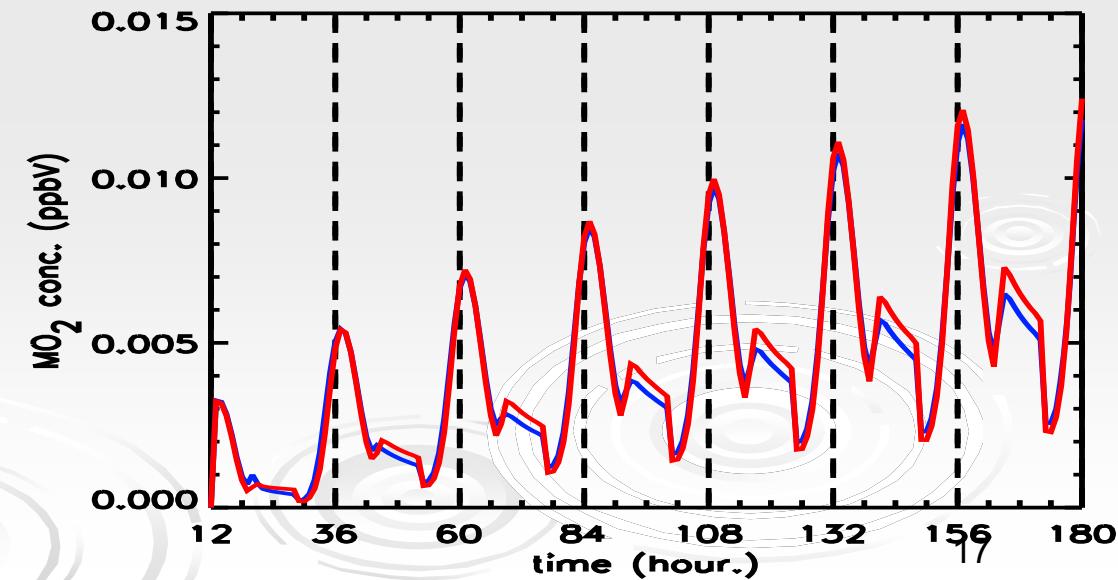
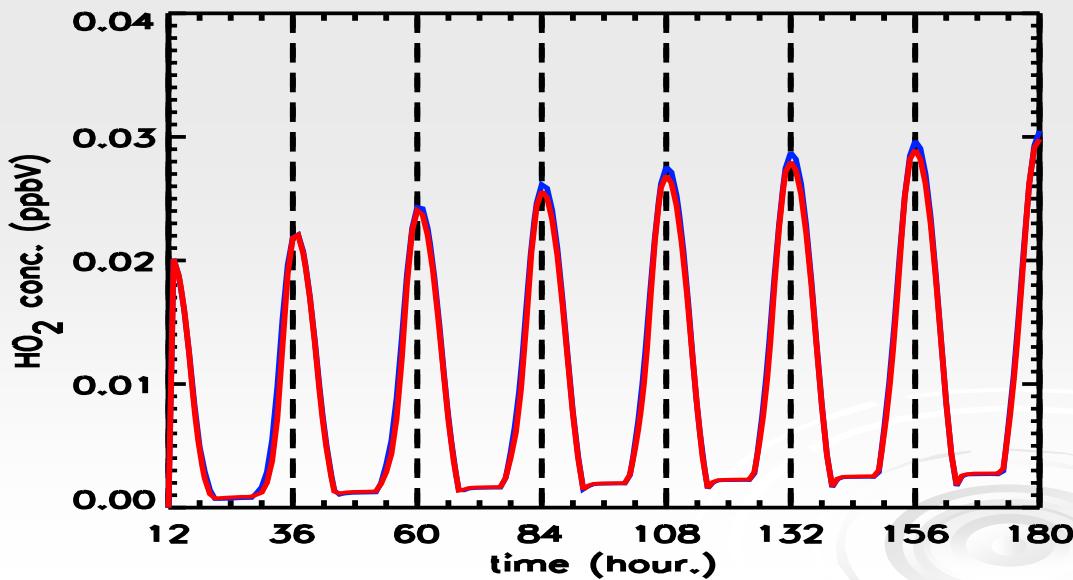
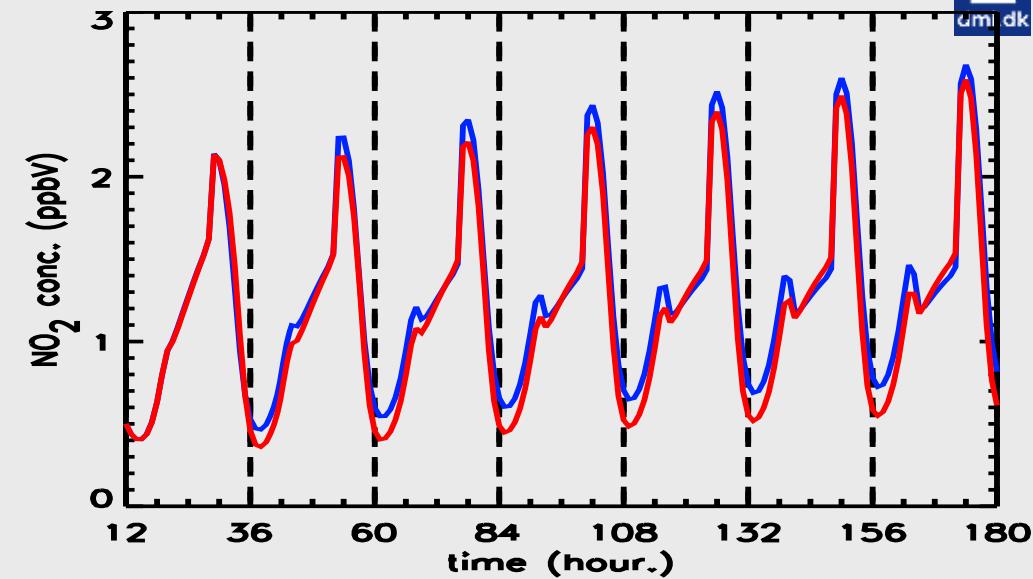
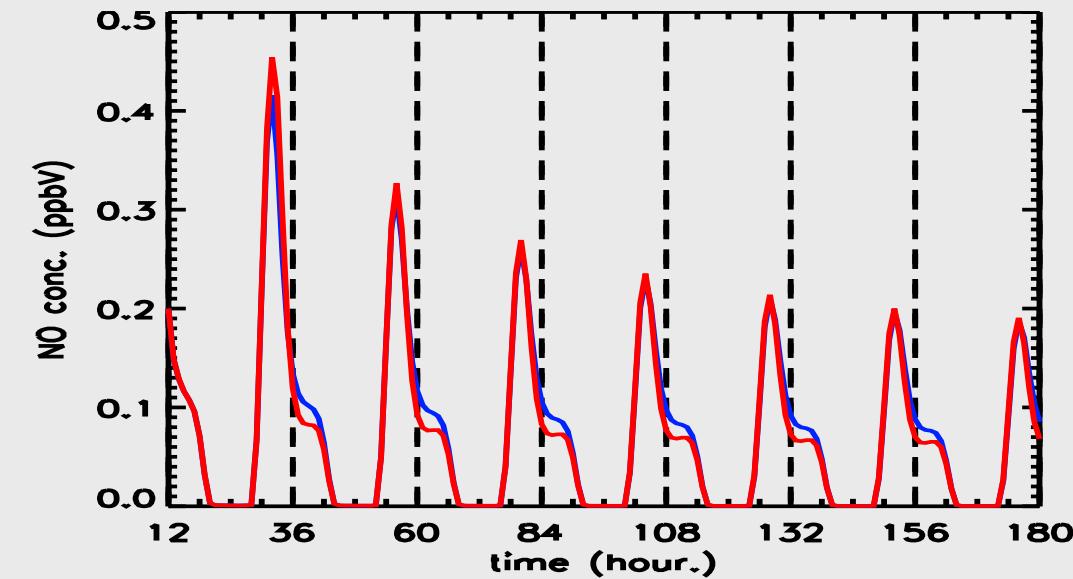
July 1, 1985, clear sky	H_2O	1.00 %	NO	$1.1 \times 10^6 \text{ cm}^{-3}\text{s}^{-1}$
ground albedo 0.10	O_3	50.0 ppbV	NO_2	$0.0 \text{ cm}^{-3}\text{s}^{-1}$
solar declina. 23°	NO	0.20 ppbV	SO_2	$2.2 \times 10^5 \text{ cm}^{-3}\text{s}^{-1}$
longitude 45° north	NO_2	0.50 ppbV	CO	$2.4 \times 10^6 \text{ cm}^{-3}\text{s}^{-1}$
altitude 0.0 km	HNO_3	0.20 ppbV	VOC	$3.0 \times 10^6 \text{ cm}^{-3}\text{s}^{-1}$
temperature 288.15 K	CO	200. ppbV		
pressure 1.01315 bar	CH_4	1700 ppbV		
	H_2	500. ppbV		
	H_2O_2	2.00 ppbV		
	HCHO	1.00 ppbV		
	O_2	20.9 %		
	N_2	78.1 %		

Comparison:

- █ Regional Atmospheric Chemical Mechanism (RACM)
- █ new lumped mechanism reduction of RACM (redRACM)



Comparison: redRACM \leftrightarrow RACM



Part 1.B

How is the ODE for chemical mechanisms solved numerically

Implementation of Chemistry in ACTM – ODE



$$\frac{\partial \mathbf{c}_i}{\partial t} = P_i(\vec{\mathbf{c}}, t, \vec{\mathbf{k}}) - L_i(\vec{\mathbf{c}}, t, \vec{\mathbf{k}}) \times \mathbf{c}_i$$

$$\begin{aligned} &+ \left. \frac{\partial \mathbf{c}_i}{\partial t} \right|_{\text{Advection}} &+ \left. \frac{\partial \mathbf{c}_i}{\partial t} \right|_{\text{Diffusion}} \\ &+ \left. \frac{\partial \mathbf{c}_i}{\partial t} \right|_{\text{Aerosols}} &+ \left. \frac{\partial \mathbf{c}_i}{\partial t} \right|_{\text{Clouds}} &+ \left. \frac{\partial \mathbf{c}_i}{\partial t} \right|_{\text{Emission}} &+ \left. \frac{\partial \mathbf{c}_i}{\partial t} \right|_{\text{Deposition}} \end{aligned}$$

P_i = production of \mathbf{c}_i
 c_i = concentration of i^{th} species

L_i = loss of \mathbf{c}_i
 k_i = i^{th} rate constant

Solving the chemical reactions' set of ODE:

The big difficulty:

- The set of ODE is 'stiff', i.e.:
the chemical lifetimes cover a very large range of time scales
 - **stiff systems are more difficult to solve than non-stiff systems.**
 - **Stiff systems require very small time steps.**
- ⇒ Time step necessary to resolve all the chemical reactions?

Lifetime of species A:

$$I_A = \frac{1}{I_{A1}^{-1} + I_{A2}^{-1} + I_{A3}^{-1} + \dots + I_{An}^{-1}}$$

Lifetime of A due to unimolecular reactions:



gives

$$I_{A1} = k_1^{-1}$$

Lifetime of A due to bimolecular reactions:



gives

$$I_{A2} = (k_2 \times [B]_o)^{-1}$$

Example

1. $\text{O}({^3}\text{P}) \xrightarrow{\text{O}_2, \text{M}} \text{O}_3$
2. $\text{O}_3 + \text{NO} \rightarrow \text{NO}_2 + \text{O}_2$
3. $\text{NO}_2 + \text{hv} \rightarrow \text{O}({^3}\text{P}) + \text{NO}$
4. $\text{O}({^1}\text{D}) \xrightarrow{\text{M}} \text{O}({^3}\text{P})$
5. $\text{CH}_4 + \text{HO} \rightarrow \text{O}({^3}\text{P}) + \text{H}_2\text{O}$

Rate constant at 285 K, local noon

$8.64 \times 10^4 \text{ s}^{-1}$ (T = 285 K)

$1.47 \times 10^{-14} \text{ cm}^3 \text{s}^{-1}$ (T = 285 K)

$1.70 \times 10^{-2} \text{ s}^{-1}$ (noon), 0.00 s^{-1} (night)



$$l_{\text{O}({^3}\text{P})} = 1.16 \times 10^{-5} \text{ s}$$

$$l_{\text{O}_3} = 6.80 \times 10^{13} \text{ cm}^{-3} \text{s} [\text{NO}]^{-1}$$

$$l_{\text{NO}} = 6.80 \times 10^{13} \text{ cm}^{-3} \text{s} [\text{O}_3]^{-1}$$

$$l_{\text{NO}_2} = 58.8 \text{ s (noon)}, = \infty \text{ (night)}$$

$$l_{\text{CH}_4} = 10.2 \text{ years}$$

$$l_{\text{O}({^1}\text{D})} = 2 \times 10^{-9} \text{ s}$$

I.e. even such a simple system can be rather stiff

Several methods exists to solve chemical ODEs

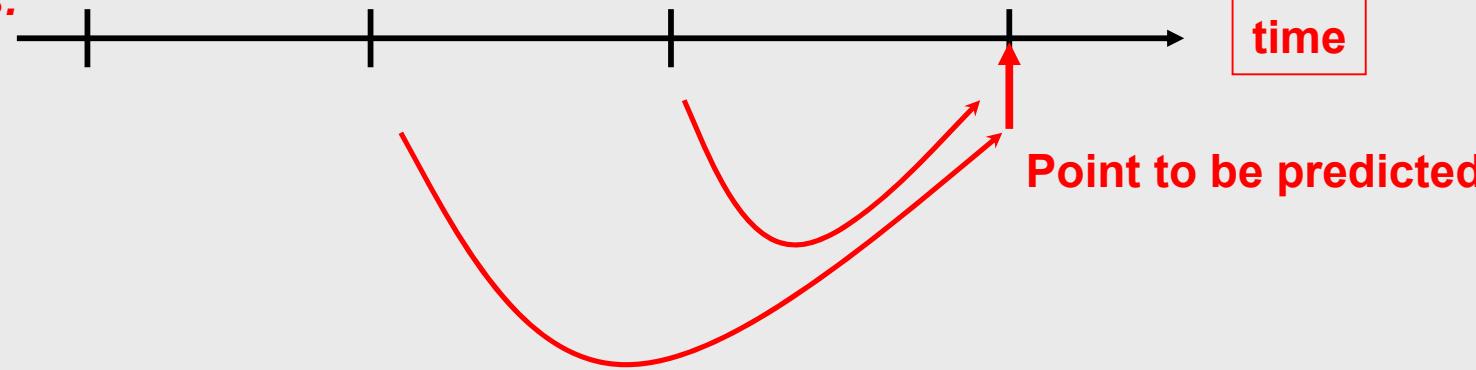
Examples:

- Taylor series
- Forward Euler
- Backward Euler
- Simple exponential
- Quasi-steady-state
- Multistep implicit-explicit
- Backward differentiation (GEAR)
- Hybrid predictor-corrector methods
- Parameterization methods
- Runge-Kutta-Rosenbrock schemes
- Iterative backward Euler methods
- Hybrid Newton Raphson iterative schemes

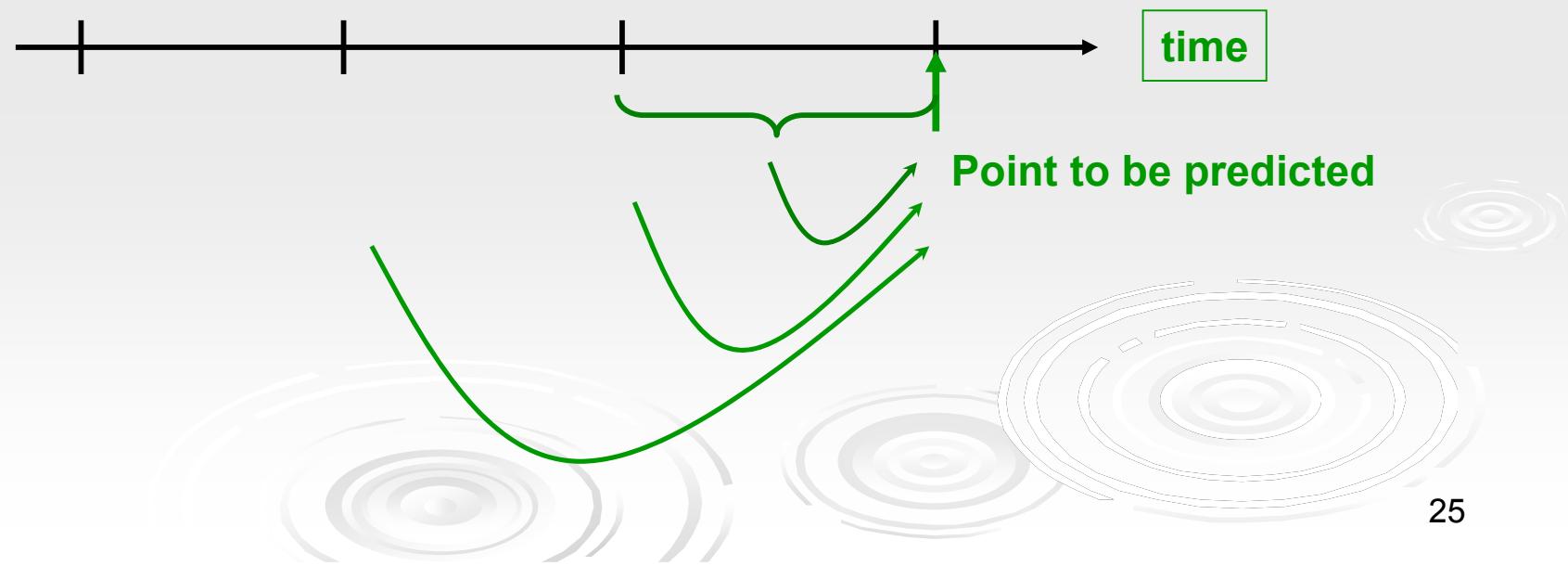
Selection of method depend on

- Stable
- Accurate
- Mass conserving
- Positive definite
- Computationally fast

Explicit solvers:



“Semi”-implicit solvers:



Methods for solving chemical ODEs

- 1. Eulerian forward**
- 2. Eulerian backward**
- 3. QSSA**
- 4. The GEAR solver**
- 5. Family approach**



dmi

Simplest methods for solving chemical ODEs

1) The simplest (explicit) solver: Forward Euler (1st order Taylor)

$$\begin{aligned} c_i(t) &= c_i(t-\Delta t) + \Delta t \times dc_i(t-\Delta t) / dt \\ &= c_i(t-\Delta t) + \Delta t (P_i(\vec{c}, t-\Delta t, \vec{k}) - L_i(\vec{c}, t-\Delta t, \vec{k}) \times c_i(t-\Delta t)) \end{aligned}$$

2) The simplest (“semi”-implicit) solver : Backward Euler

$$\begin{aligned} c_i(t) &= c_i(t-\Delta t) + \Delta t \times dc_i(t, t-\Delta t) / dt \\ &= c_i(t-\Delta t) + \Delta t (P_i(\vec{c}, t-\Delta t, \vec{k}) - L_i(\vec{c}, t-\Delta t, \vec{k}) \times c_i(t)) \\ &= (c_i(t-\Delta t) + \Delta t (P_i(\vec{c}, t-\Delta t, \vec{k}))) / (1 - L_i(\vec{c}, t-\Delta t, \vec{k}) \times \Delta t) \end{aligned}$$

Example

$$\frac{dc_i}{dt} = P_i(c, t, k) - L_i(c, t, k) \times c_i$$

Example

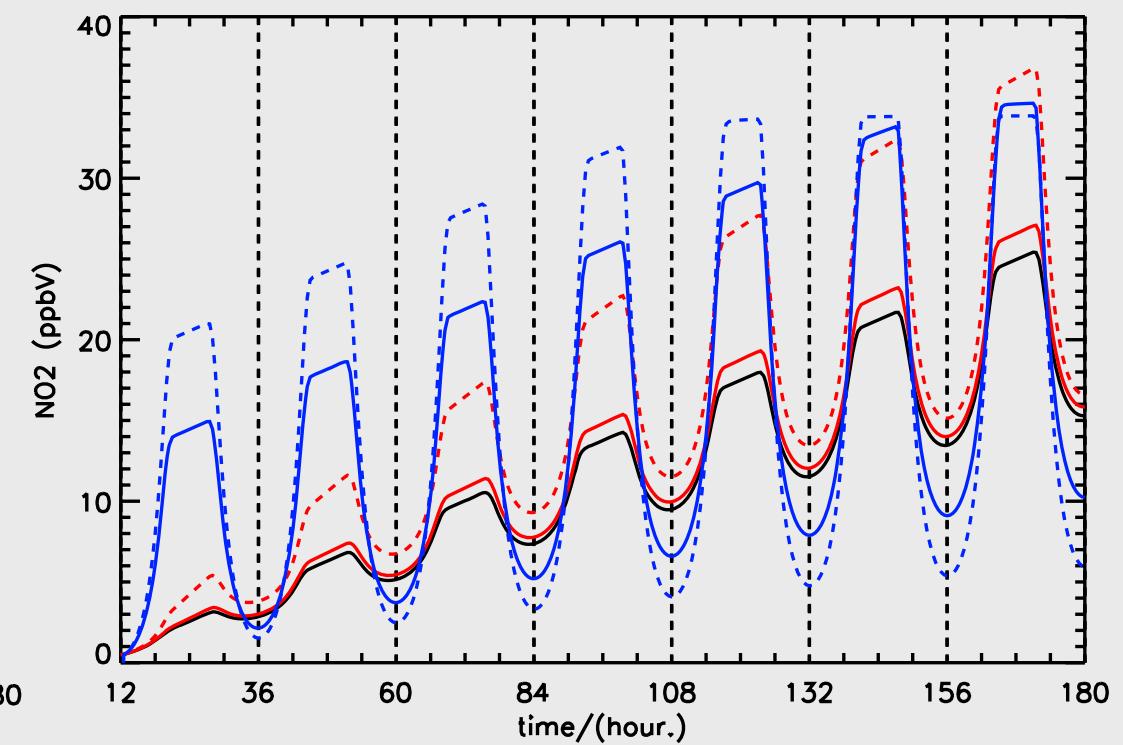
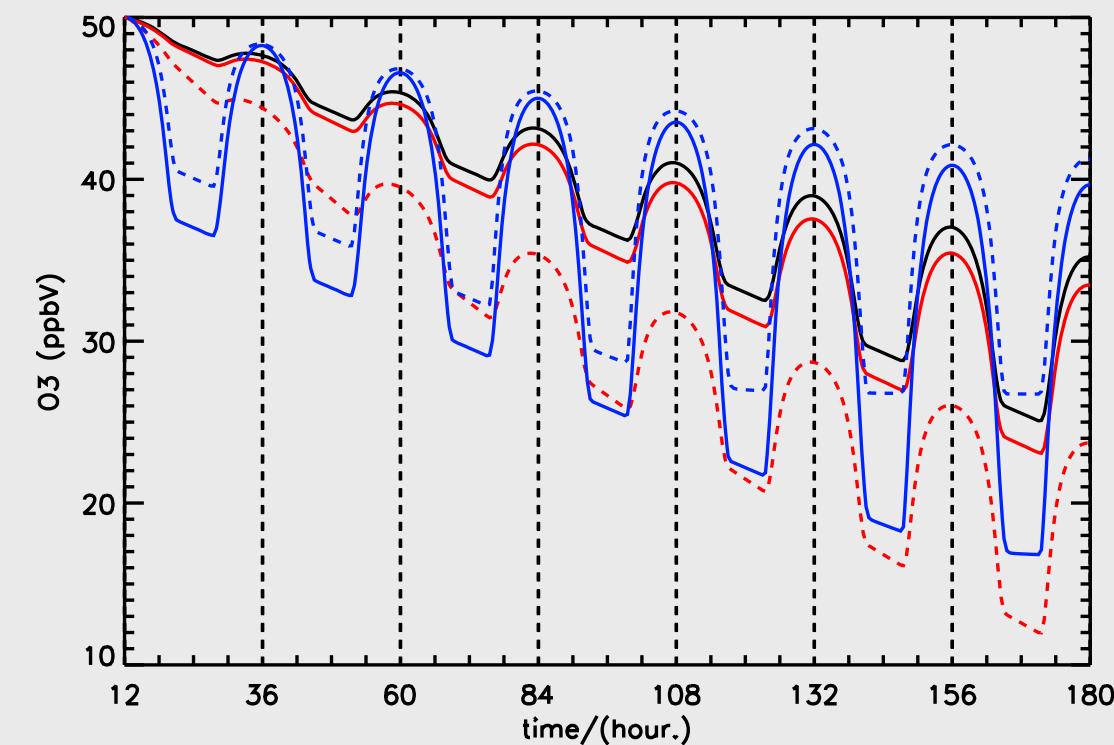


Rate constant

$$1.4 \times 10^3 \exp(1175/T) \quad (s^{-1})$$

$$1.8 \times 10^{-12} \exp(-1370/T) \quad (cm^3 s^{-1})$$

$$2.5 \times 10^{-2} \exp(-.39/\cos \theta) \quad (s^{-1})$$



Δt

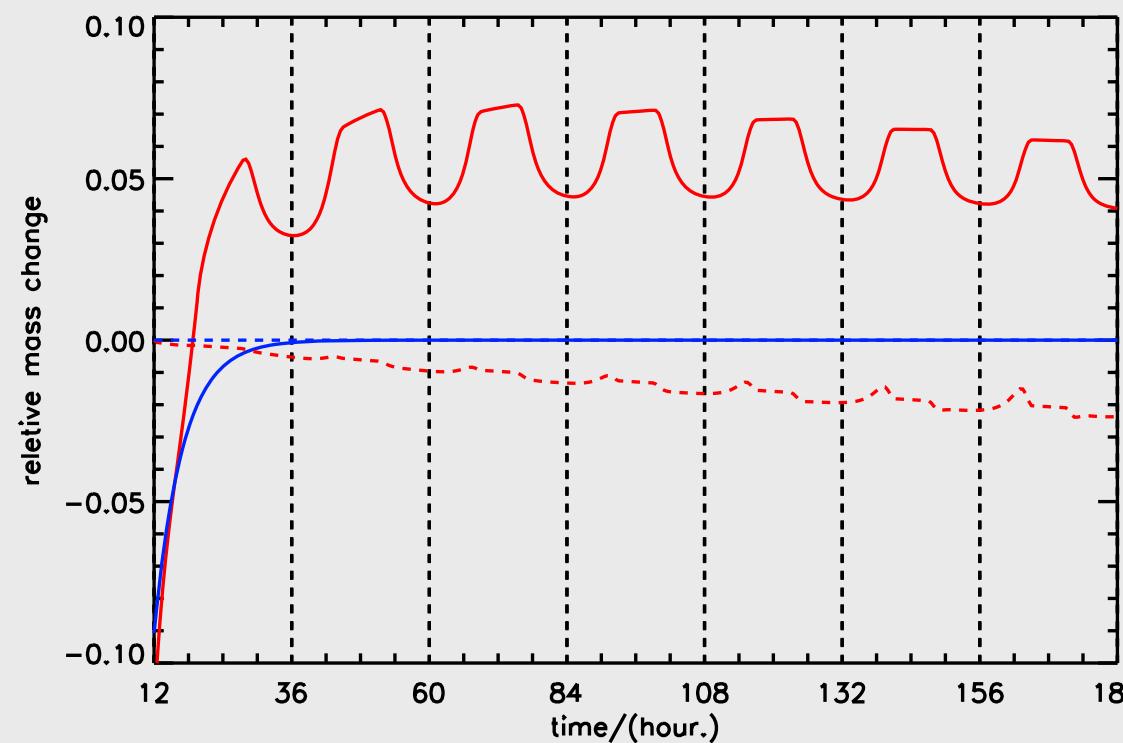
Gear

Eulerian backward

Eulerian forward

60 sec.

240 sec.



Conservation of mass

Relative mass change of N ——————

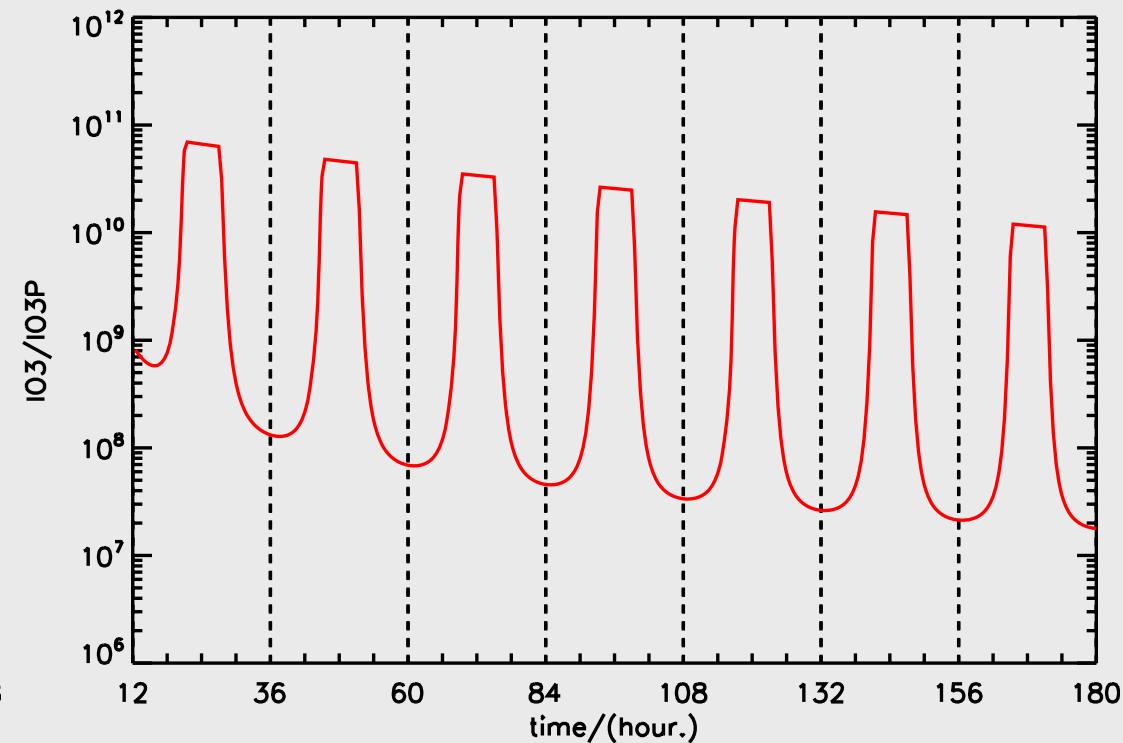
Relative mass change of O - - - - -

$\Delta t = 60 \text{ sec}$

Gear

Eulerian backward

Eulerian forward



Stiffness of system

Lifetime of O₃ relative to O(3P)

Explicit versus implicit methods, In general



	Explicit	(Semi-)implicit
Stable	For too stiff ODEs become unstable. Small time steeps required.	+
Accurate	Small time steeps required.	+
Mass conserving	+	-
Positive definite	+	+
Computational fast	-	(+)

Quasi Steady State Approximation (QSSA)

$$\frac{dc_i}{dt} = P_i(\vec{c}, t, \vec{k}) - L_i(\vec{c}, t, \vec{k}) \times c_i$$



For moderate lifetime of C_i is used

$$\frac{dc_{i,t}}{dt} = P_i(\vec{c}, t-\Delta, \vec{k}) - L_i(\vec{c}, t-\Delta, \vec{k}) \times c_{i,t}$$

$$C_{i,t} = C_{i,t-\Delta} \exp(-\delta P_{i,t-\Delta}) + P_{i,t-\Delta}/L_{i,t-\Delta} (1 - \exp(-\Delta L_{i,t-\Delta}))$$

Quasi Steady State Approximation (QSSA)



If the lifetime of C_i is short (i.e. radicals), $dC_i/dt \approx 0$:

$$C_{i,t} = P_{i,t-\Delta}/L_{i,t-\Delta}$$

For long lifetime of C_i Eulerian forward is used

$$C_{i,t} = C_{i,t-\Delta} + \Delta (P_{i,t-\Delta} - L_{i,t-\Delta} C_{i,t-\Delta})$$

Quasi Steady State Approximation (QSSA)

Summary

$\delta L_{i,t-\delta}$: used to determine how the lifetime of the species slowed during the time evolution



$$N_{i,t} = \begin{cases} N_{i,t-\delta} + \delta (P_{i,t-\delta} - L_{i,t-\delta}) & \text{species' lifetime long} \rightarrow \text{forward Eulerian equation} \\ N_{i,t-\delta} \exp(-\delta P_{i,t-\delta}) + P_{i,t-\delta}/L_{i,t-\delta} (1 - \exp(-\delta L_{i,t-\delta})) & \text{species' lifetime moderate} \rightarrow \text{simple exponential method} \\ P_{i,t-\delta}/L_{i,t-\delta} & \text{if } \delta L_{i,t-\delta} < 0.001 \\ & \text{if } 0.001 \leq \delta L_{i,t-\delta} \leq 10 \\ & \text{if } \delta L_{i,t-\delta} > 10 \end{cases}$$

The equation is a piecewise function for calculating species concentration $N_{i,t}$ at time t . It uses three different methods based on the value of $\delta L_{i,t-\delta}$:

- If $\delta L_{i,t-\delta}$ is long (species lifetime long), it uses the forward Eulerian equation: $N_{i,t} = N_{i,t-\delta} + \delta (P_{i,t-\delta} - L_{i,t-\delta})$.
- If $\delta L_{i,t-\delta}$ is moderate (species lifetime moderate), it uses the simple exponential method: $N_{i,t} = N_{i,t-\delta} \exp(-\delta P_{i,t-\delta}) + P_{i,t-\delta}/L_{i,t-\delta} (1 - \exp(-\delta L_{i,t-\delta}))$.
- If $\delta L_{i,t-\delta}$ is short (species lifetime short), it uses the steady state equation: $N_{i,t} = P_{i,t-\delta}/L_{i,t-\delta}$.

Arrows indicate the conditions for each method:

- An arrow points from the first case to the condition $\delta L_{i,t-\delta} < 0.001$.
- An arrow points from the second case to the condition $0.001 \leq \delta L_{i,t-\delta} \leq 10$.
- An arrow points from the third case to the condition $\delta L_{i,t-\delta} > 10$.

Background graphics include stylized wave patterns and ripples.

NWP-Chem-Gas

Photolysis reactions

1. $\text{NO}_2 + h\nu \rightarrow \text{O}(3P) + \text{NO}$
2. $\text{O}_3 + h\nu \rightarrow \text{O}(3P) + \text{NO}$
3. $\text{HCHO} + h\nu \rightarrow \text{O}(1D) + \text{O}_2$
4. $\text{HCHO} + h\nu \rightarrow 2 \text{HO}_2 + \text{CO}$

Inorganic chemistry

1. $\text{O}(3P) + \text{O}_2 \rightarrow \text{O}_3$
2. $\text{O}(1D) + \text{N}_2 \rightarrow \text{O}(3P) + \text{N}_2$
3. $\text{O}(1D) + \text{O}_2 \rightarrow \text{O}(3P) \text{ O}_2$
4. $\text{O}(1D) + \text{H}_2\text{O} \rightarrow \text{HO} + \text{HO}$
5. $\text{HO}_2 + \text{NO} \rightarrow \text{NO}_2 + \text{HO}$
6. $\text{O}_3 + \text{NO} \rightarrow \text{NO}_2 + \text{O}_2$
7. $\text{CO} + \text{HO} \rightarrow \text{HO}_2 + \text{CO}_2$
8. $\text{HO} + \text{NO}_2 \rightarrow \text{HNO}_3$
9. $\text{HO}_2 + \text{HO}_2 \rightarrow \text{H}_2\text{O}_2 + \text{O}_2$
10. $\text{HO}_2 + \text{HO}_2 \text{ H}_2\text{O} \rightarrow \text{H}_2\text{O}_2 + \text{H}_2\text{O} + \text{O}_2$

NWP-Chem-Gas

Organic chemistry

1. $\text{HC} + \text{HO} \rightarrow \text{RO}_2 + \text{H}_2\text{O}$
2. $\text{RO}_2 + \text{NO} \rightarrow \text{HCHO} + \text{HO}_2 + \text{NO}_2$
3. $\text{HCHO} + \text{HO} \rightarrow \text{HO}_2 + \text{CO} + \text{H}_2\text{O}$
4. $\text{RO}_2 + \text{HO}_2 \rightarrow \text{ROOH} + \text{O}_2$
5. $\text{RO}_2 + \text{RO}_2 \rightarrow x \text{ HCHO} + y \text{ HO}_2$

Sulphur chemistry

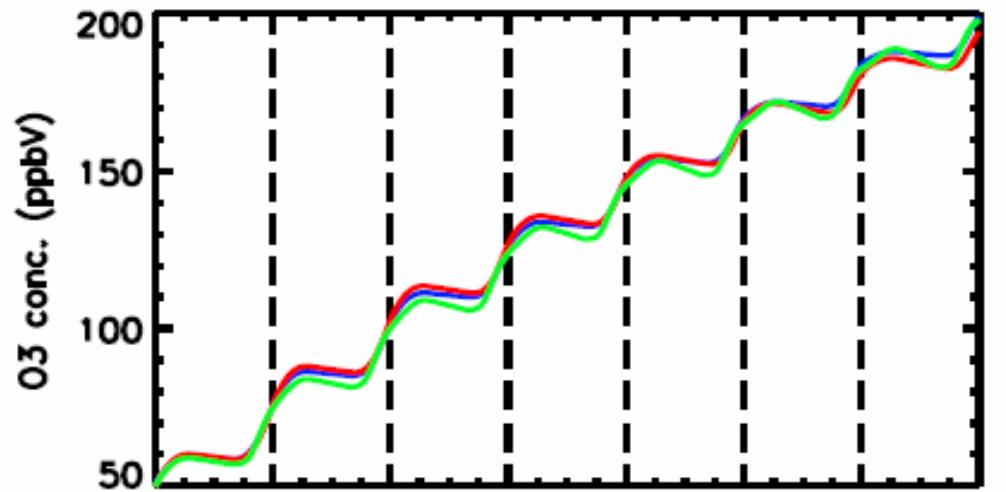
1. $\text{HO} + \text{SO}_2 \rightarrow \text{H}_2\text{SO}_4 + \text{HO}_2$
2. $\text{DMS} + \text{HO} \rightarrow 0.85 \text{ SO}_2 + 0.15 \text{ MSA}$
3. $\text{DMS} + \text{HO} \rightarrow \text{MSIA}$
4. $\text{MSIA} + \text{HO} \rightarrow 0.85 \text{ SO}_2 + 0.15 \text{ MSA}$

Biogenic chemistry

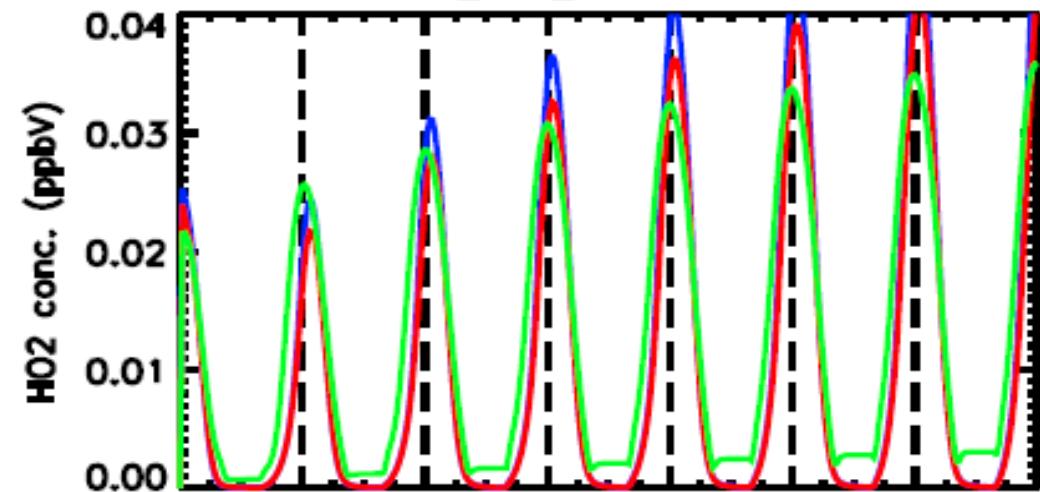
1. $\text{BIO} + \text{HO} \rightarrow \text{BIOO}_2$
2. $\text{BIO} + \text{O}_3 \rightarrow 1.23 \text{ HCHO} + 0.14 \text{ CO} + 0.28 \text{ ROOH} + 0.25 \text{ HO}_2 + 0.18 \text{ RO}_2 + 0.09 \text{ H}_2\text{O}_2$
3. $\text{BIOO}_2 + \text{NO} \rightarrow 2.0 \text{ HCHO} + \text{HO}_2 + \text{NO}_2$
4. $\text{BIOO}_2 + \text{HO}_2 \rightarrow \text{RO}_2$
5. $\text{BIOO}_2 + \text{BIOO}_2 \rightarrow 2.0 \text{ HCHO} + \text{HO}_2$

+ 1 operator reaction

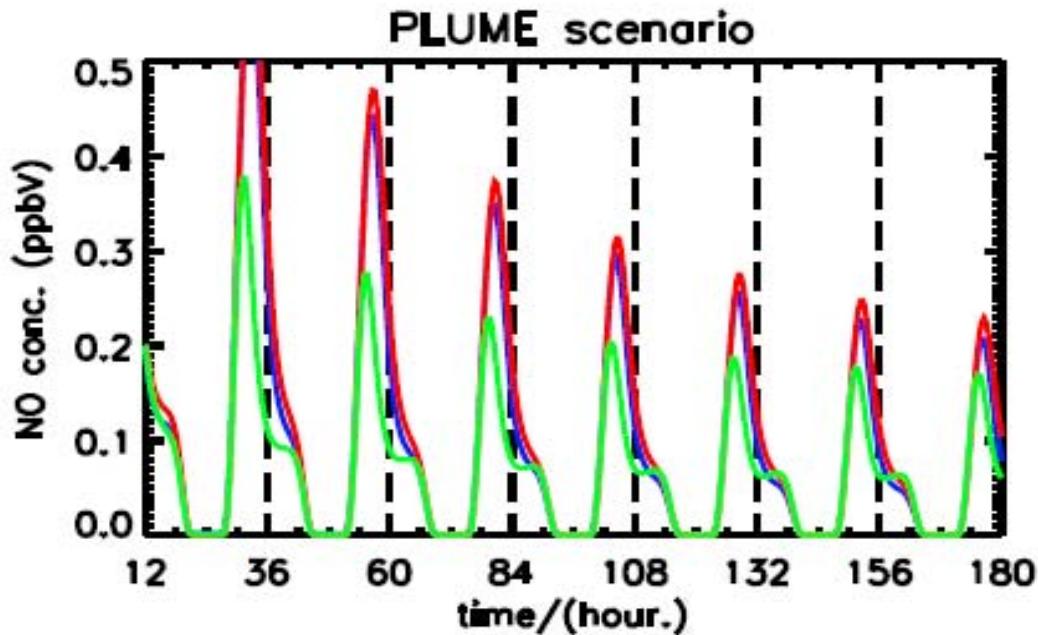
PLUME scenario



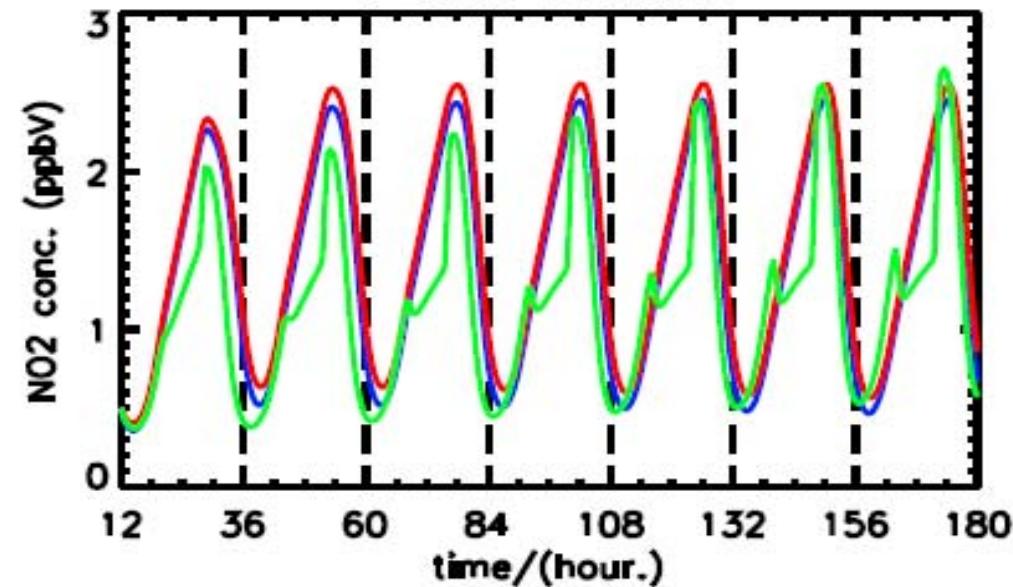
PLUME scenario



PLUME scenario



PLUME scenario

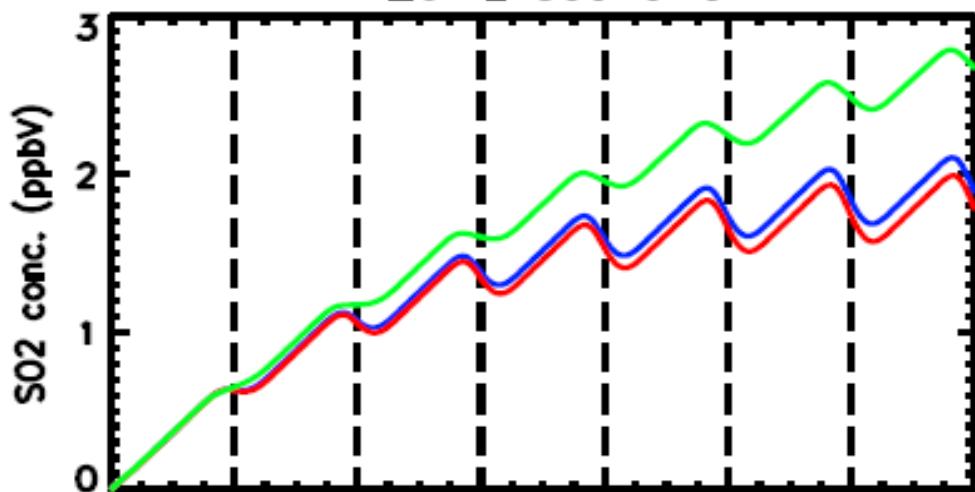


RACM/GEAR

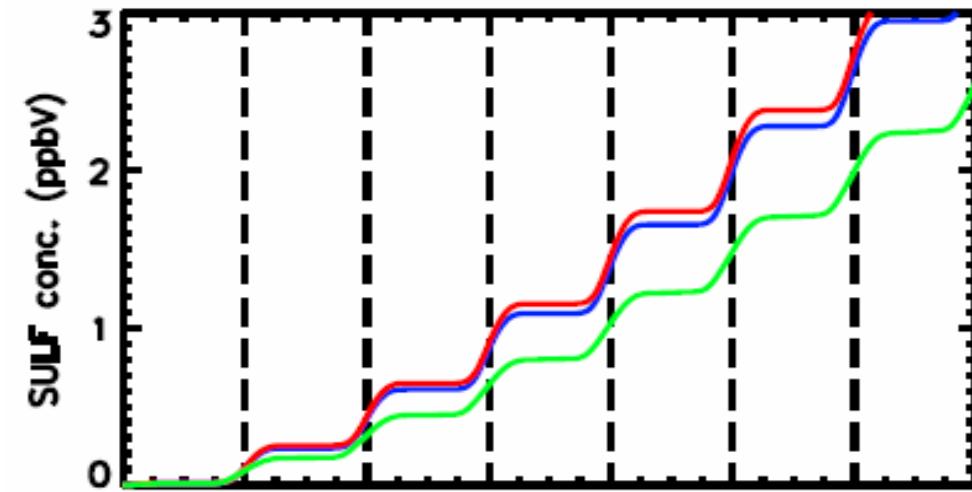
NWP-Chem-Gas/GEAR

NWP-Chem-Gas/QSSA

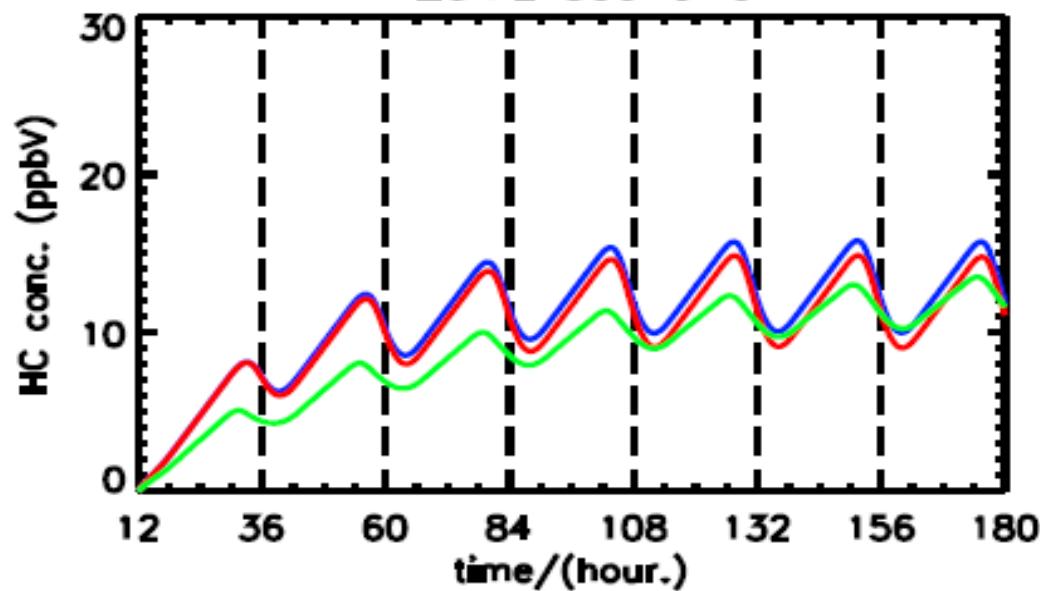
PLUME scenario



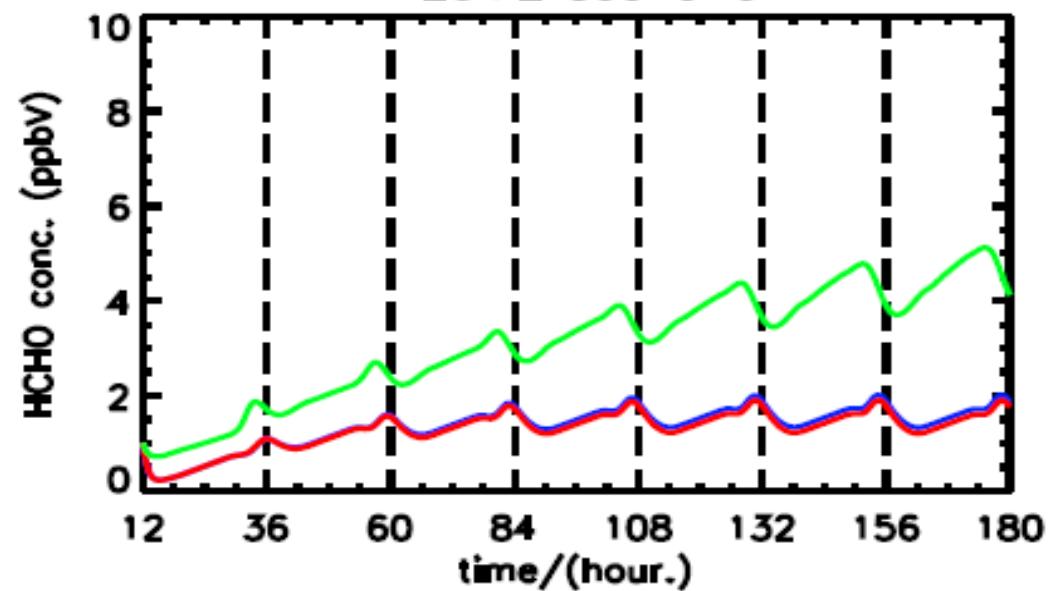
PLUME scenario



PLUME scenario



PLUME scenario



RACM/GEAR

NWP-Chem-Gas/GEAR

NWP-Chem-Gas/QSSA

3) The GEAR solver:

hybrid explicit/implicit predictor-corrector method in which an explicit equation is used to predict the solution in the next time step.

This solution is then corrected using an explicit method.

advantages:

- the order and time steps are chosen by an adaptive method that ensure high accuracy for a minimum of computer time,

disadvantages:

- computational very expensive.

considered as a benchmark solver

4) The Family approach:



1. Production / Loss is calculated for each species
2. Concentrations within a family are summed over
3. The family concentration is advanced in time (e.g. with a forward Euler scheme)
4. Individual species are re-partitioned

Example families:

- Odd oxygen: $[O_T] = [O(^3P)] + [O(^1D)] + [O_3] + [NO_2]$
- Odd hydrogen: $[HO_T] = [HO] + [HO_2] + [HO_2^+]$ + $[H_2O_2]$
- Odd nitrogen: $[NO_T] = [NO] + [NO_2] + [NO_3]$

Advantages:

- Computational fast
- Accurate for moderate- to low-stiffness systems

Disadvantages:

- Need to be carefully set up and validated for each set of chemistry
 - Accuracy decreases with increasing stiffness
1. The forward Euler scheme often become unstable \Rightarrow time step must be reduced

Summary

In a chemistry model used to solve 3D atmospheric chemistry, it is not possible to have too small time steps. An iterative method can also be computational expensive.

⇒ Need integration schemes that are non-iterative and stable when time steps are larger than the smallest chemical lifetime.

It is more important for a scheme to be accurate then exactly mass conserving.

Best methods to use are mixed explicit implicit methods.