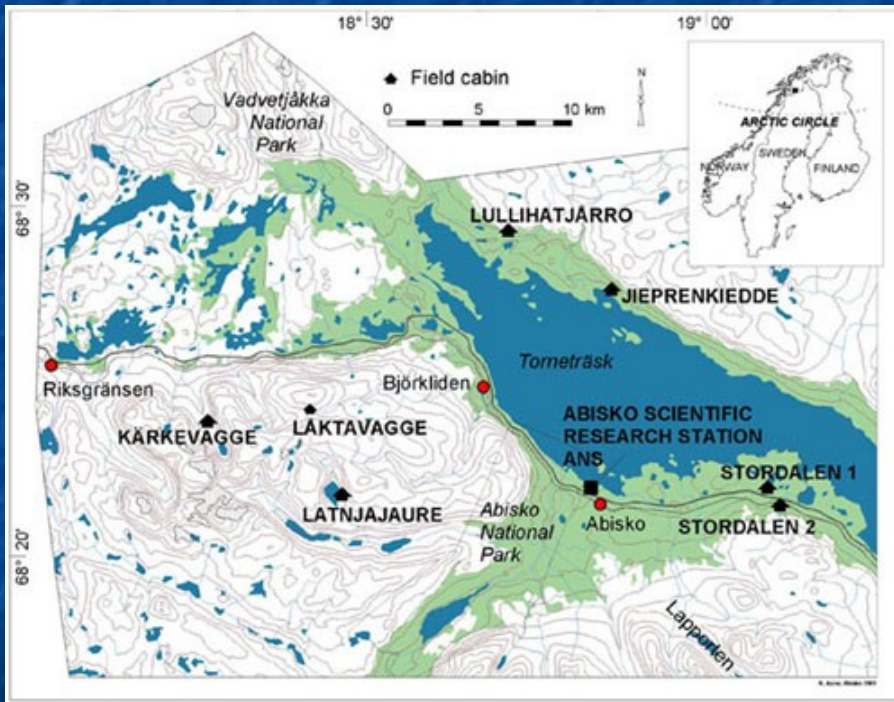


Climate impacts assessment in the Abisko region – temperature redistribution on meters scale

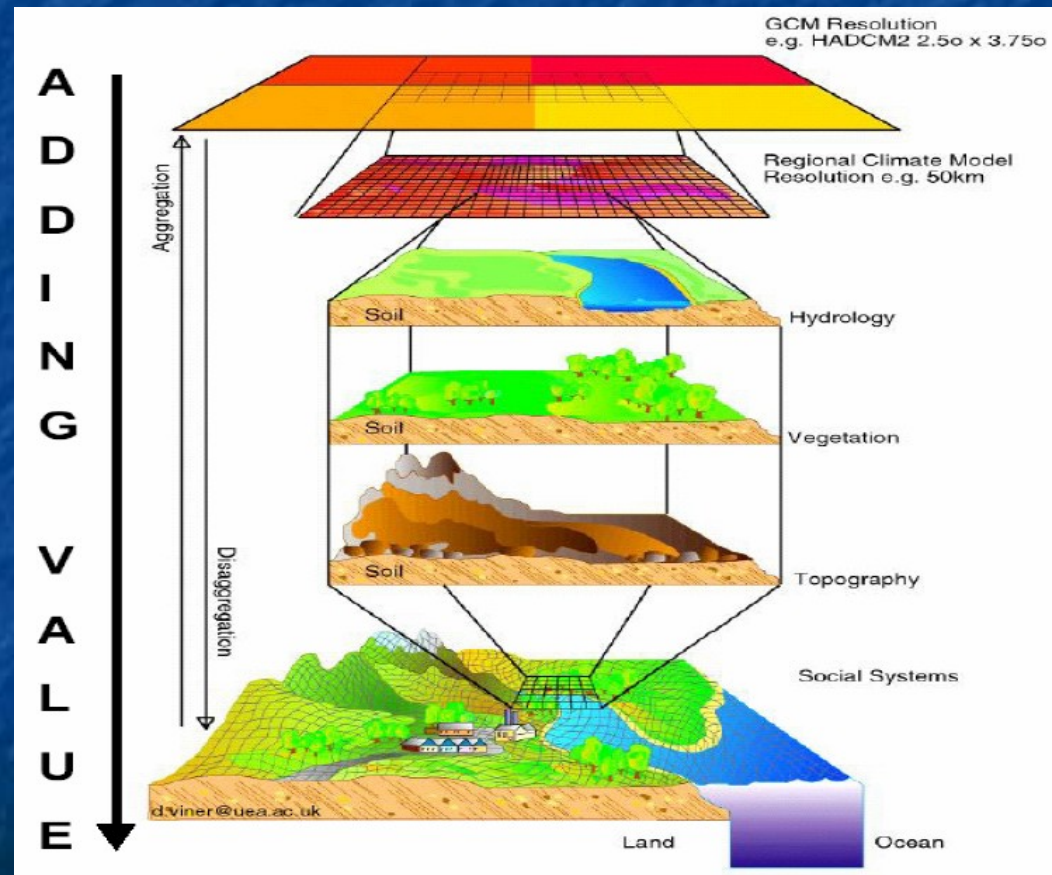


Reporter: Zhenlin Yang, PhD student in Lund University

Sep 21, 2008

Project Framework

- Driven by climate data-
Statistical-empirical method
- Use LPJ-GUESS, a well-
developed dynamic
vegetaion model
- Validate with experiment
works over 100 years in
Abisko
- Results: the climate impacts
on the local scale



Overview of previous works

- Running et al 1987

$$T = (0.5 * f(e) + 0.5) * T_{\max} + (0.5 * f(e) - 0.5) * T_{\min}$$

- Moore et al 1993

$$T = T_a + \beta_1 * elevation + \beta_r (S_i - \frac{1}{S_i}) (1 - \frac{LAI_i}{LAI_{\max}})$$

- Pinde 2000; Shengli, 2008

$$T = T_a + \beta_1 * elevation + \beta_r * radiation + \beta_0$$

- Lookingbill and Urban 2003

$$T = T_a + \beta_1 elevation + \beta_2 \log(dstrm) + \beta_3 radiation + \beta_0$$

- Chung and Jin 2004

$$T - \frac{Ti}{di^2} = [z - \frac{Ti}{di^2}] \Gamma + [s - \frac{Ti}{di^2}] \Delta + \beta_0$$

- Weiss, 2005; Van de Ven, 2007

$$T = T_a + \beta_1 elevation + \beta_2 slope + \beta_3 TP + \beta_4 abs(TP) + \beta_0$$



The problems of present models

- Pre-assumed linear regression structure of model

$$T = T_a + \beta_1 \text{factor}1 + \beta_2 \text{factor}2 + \beta_3 \text{factor}3 + \beta_0$$

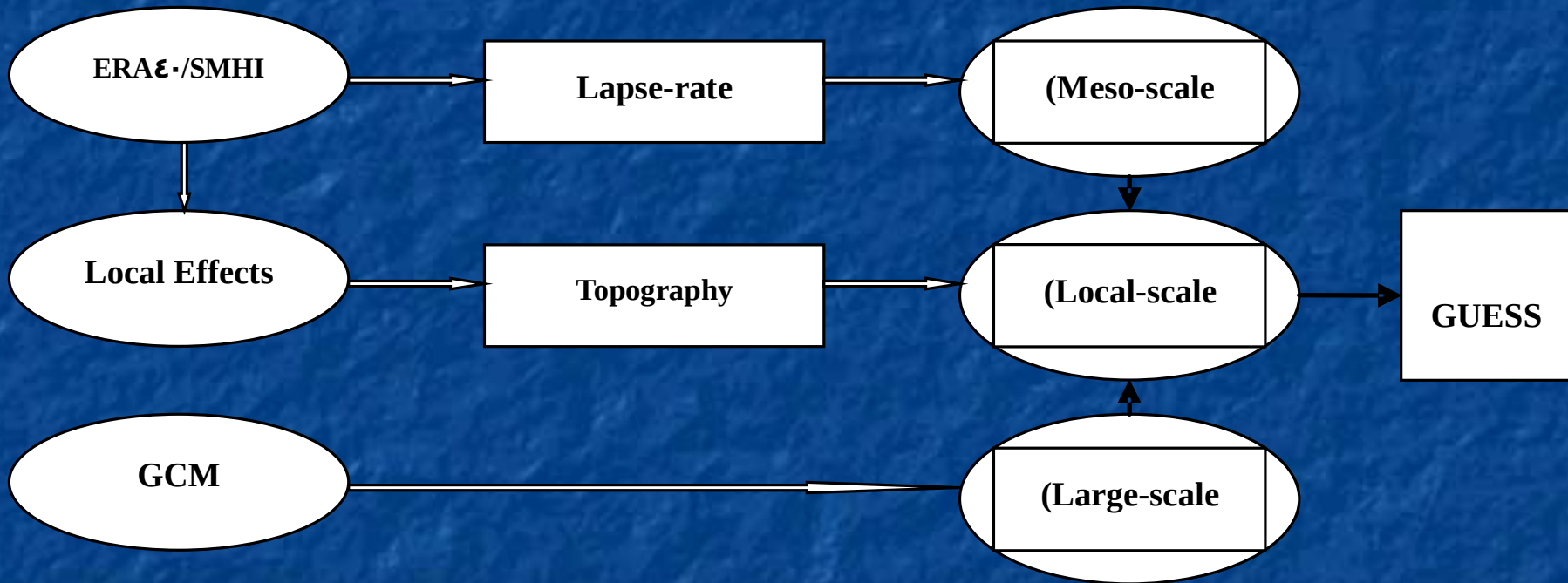
- Lack of mechanism, statistical based selection of factors
- Simple interpolation assumes smooth surface in mountain regions with complex topography
- Self-correlation between factors
- Validation

Short-term field work (mainly on summer)

Ignorance of night and winter

Confusion between air temperature or vegetation temperature

How?



Data Source

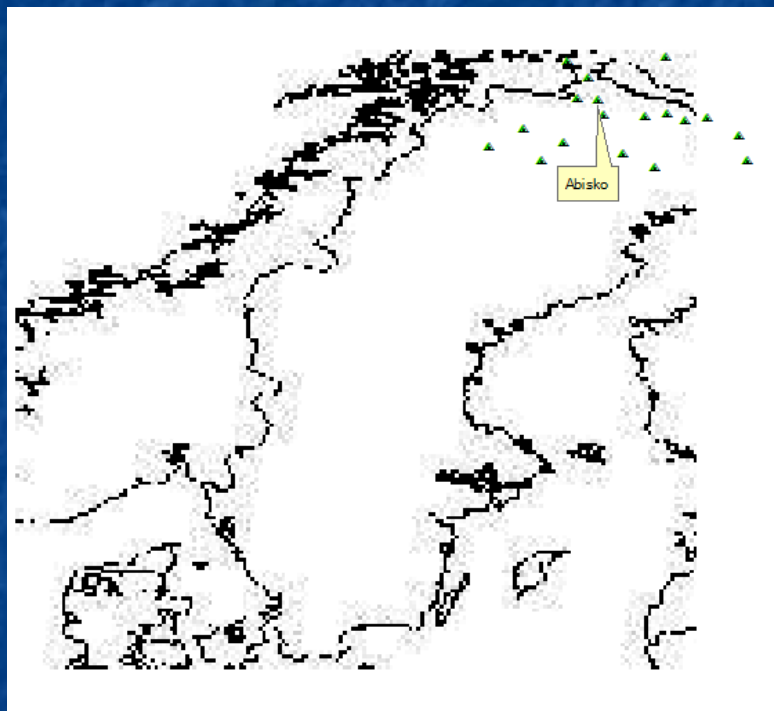


Fig.1 Choices of meteorological stations (green signals) used in the derivation of meso-scale climatology

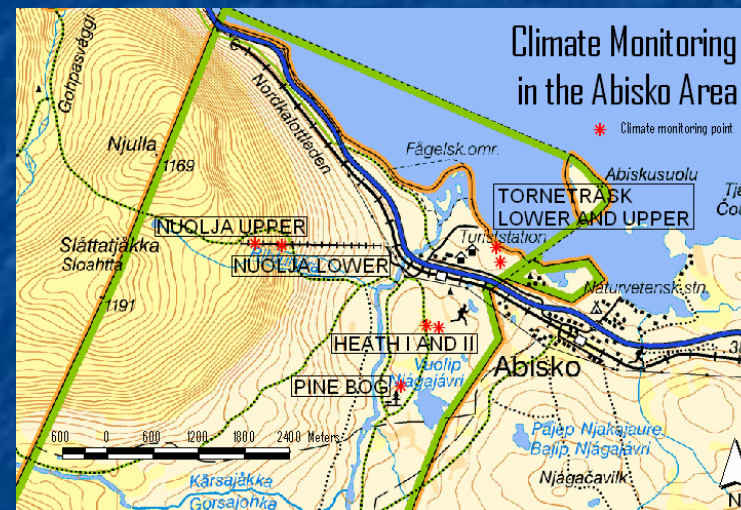


Fig.2 Choices of meteorological stations (red signals) used in the derivation of micro-scale climatology

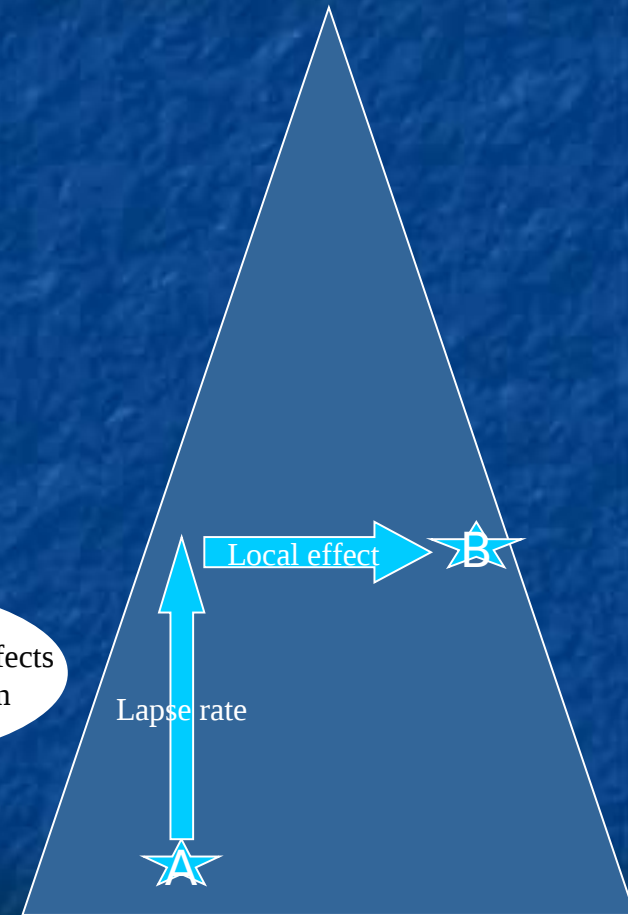
Interpret the temperature difference

$$\frac{\bar{\theta}}{Z_{sfc}} = \frac{[\theta]}{Z} + \frac{\theta^*}{Z_{sfc}}$$

Observed temperature variation

Variation due to elevation in the vertical direction

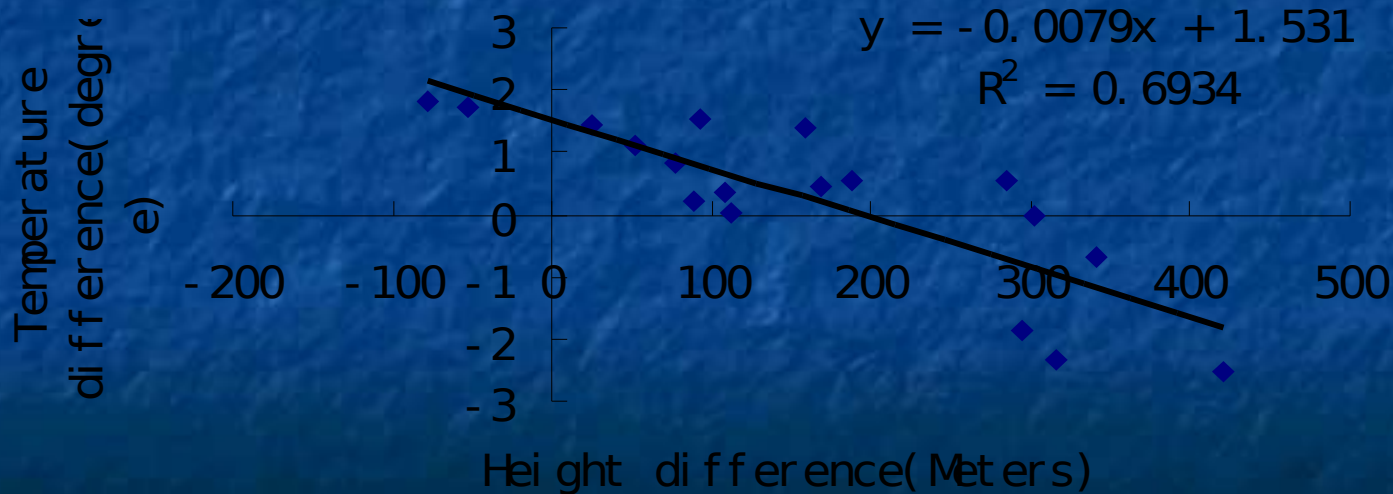
Variation due to the local effects in the horizontal direction



Temperature variation due to elevation difference

- Temperature_{era40-smhi} = Lapse rate* Elevation_{era40-smhi} +system bias+Lake effect

Relationship between Height difference and Temperature difference between ERA40 and SMH (yearly) (Sweden and Norway)

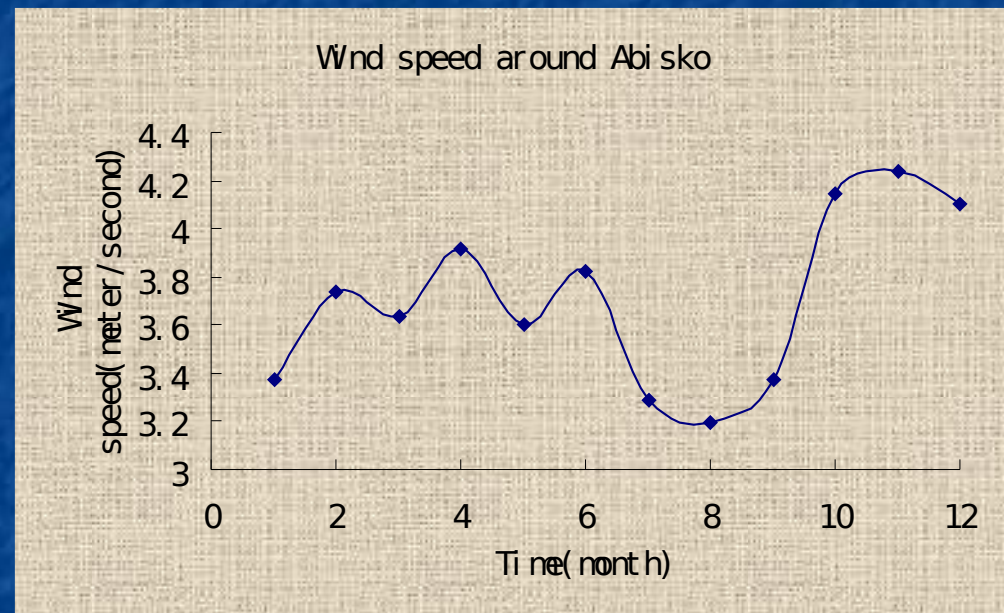


Temperature variation due to elevation difference

- Temperature_{era40-smhi} = Lapse rate* Elevation_{era40-smhi} + system bias(partly lake effect)

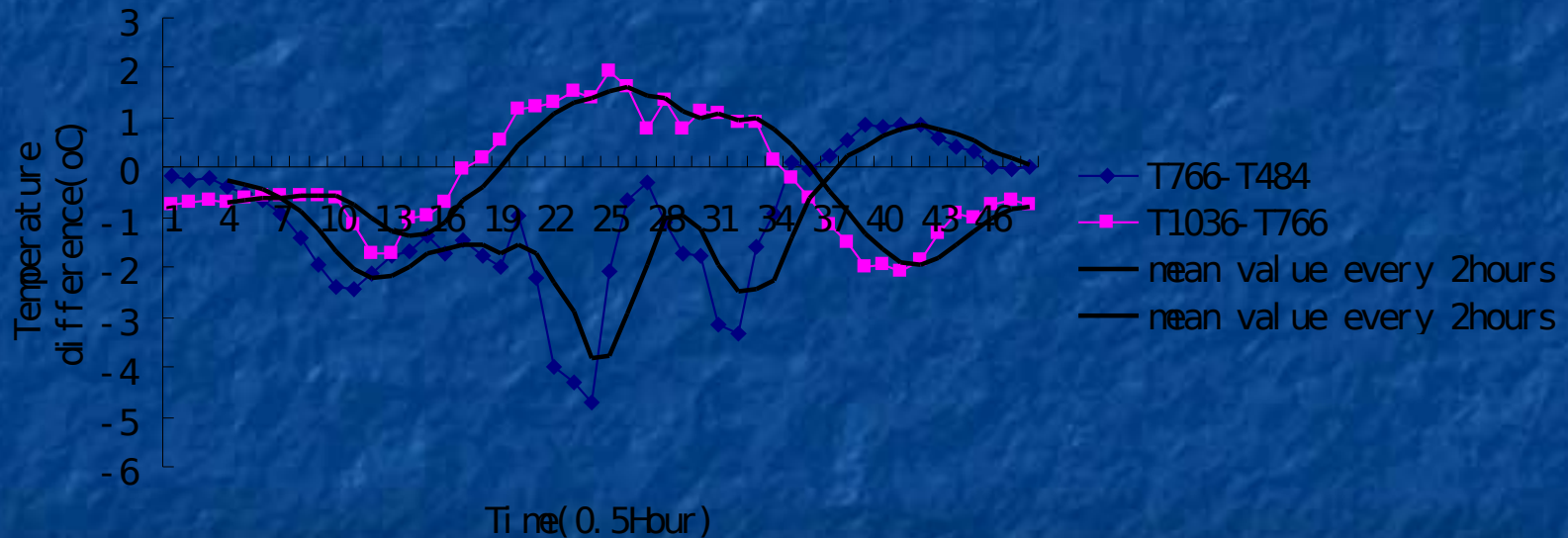
Region	Season	Lapse rate(degree /-1000m)	System bias of ERA40(degree)	R2	T-test(0.01 level)
Sweden and Norway	All the year	7.9	1.531	0.6934	Significant
Sweden	All the year	4.1	1.303	0.4847	Significant
Sweden and Norway	Feb-Apr	10.1	2.0656	0.6132	Significant
Sweden and Norway	May-July	8.0	1.0284	0.7815	Significant
Sweden and Norway	Aug-Oct	6.2	0.6636	0.7076	Significant
Sweden and Norway	Nov-Jan	7.3	2.3358	0.2543	Insignificant

- During day-time, the amount of solar radiation is key factor determining the temperature variation while during the night-time, the prevailing wind speed will determine the development of temperature variation. (Bogren,2000)



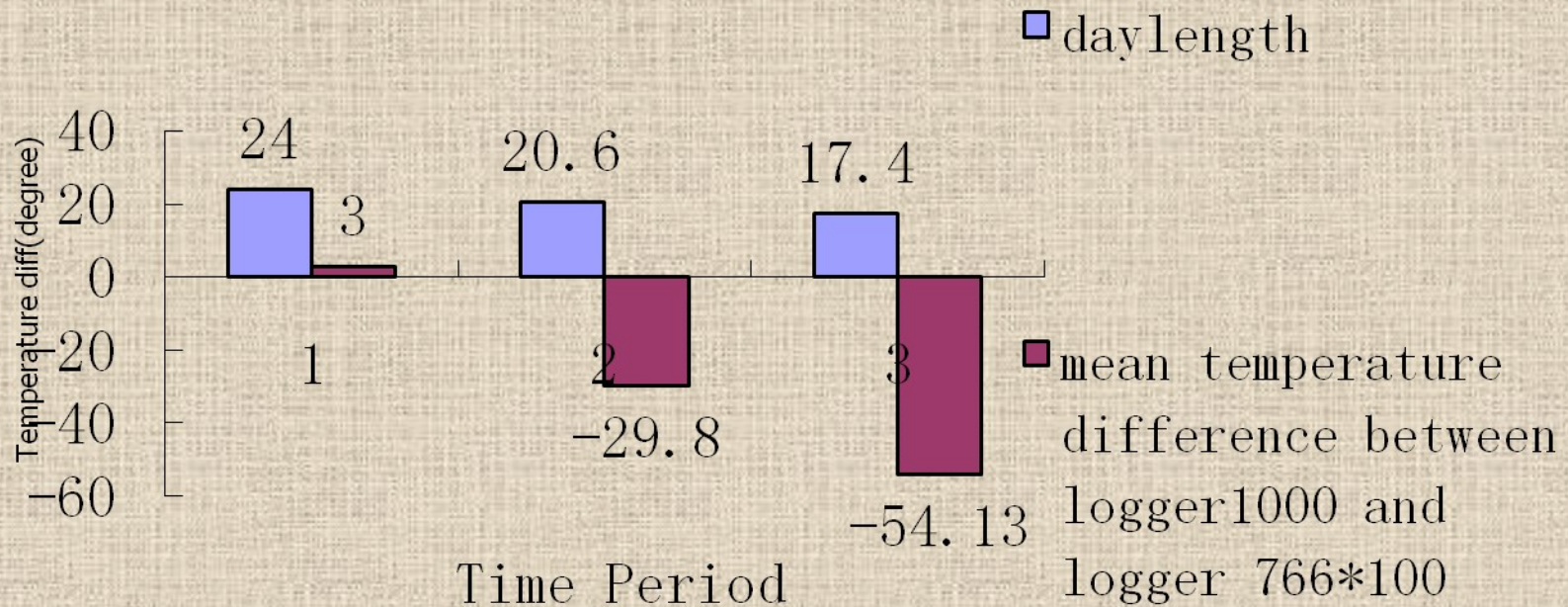
Validation from Field work

Temperature difference along the valley (17/June-24/August, 2007)

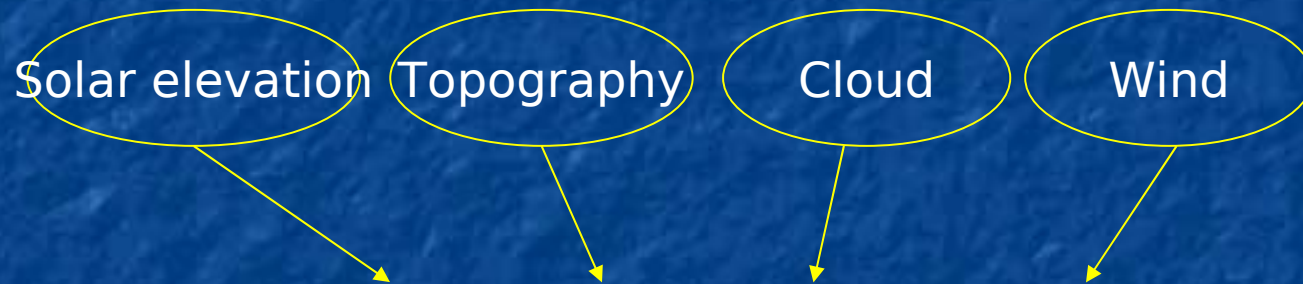


Validation from Field work

Relationship between daylength and temperature difference (logger1036-logger766) in different period (20June-30June, 20July-30July, 10Aug-20Aug)



Empirical result of local effects



$$\frac{\theta^*}{z_{sfc}} = (2.7 + 0.46\beta) * \text{Cos}(\text{aspect}) * \text{Sin}(\text{slope}) * (1 + b_1 N^{b_2}) * (\text{Dayl} / 24)$$

β : solar elevation at noon; N: cloud cover

Summary

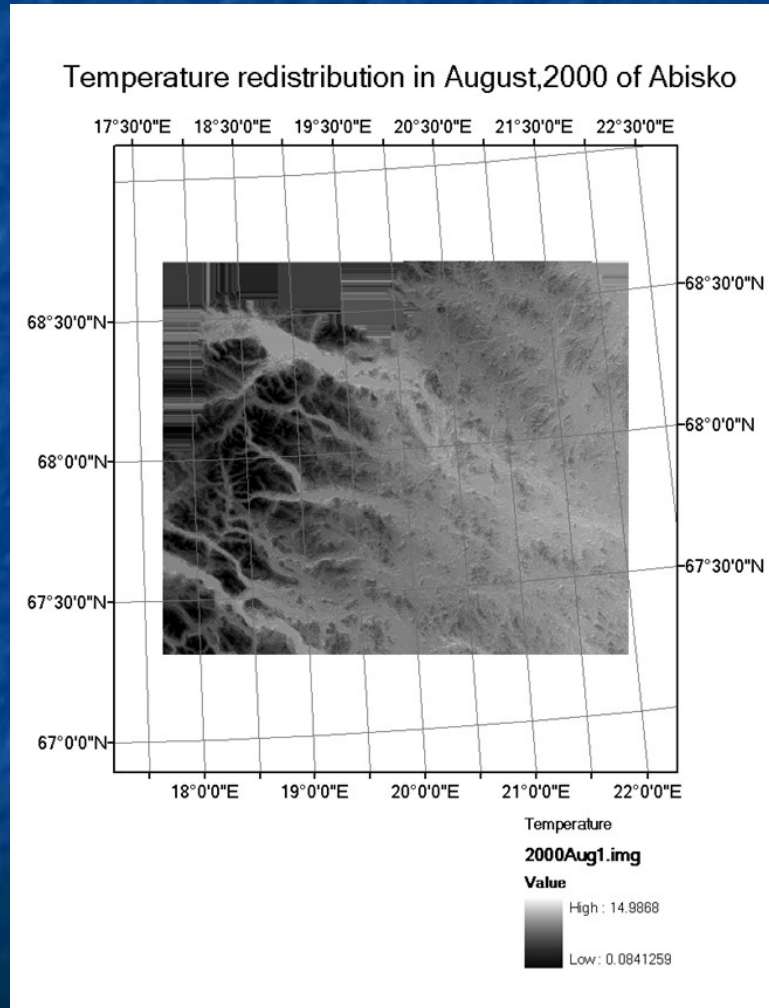
$$\frac{\bar{\theta}}{\Delta z_{sfc}} = \frac{[\theta]}{\Delta z} + \frac{\theta^*}{\Delta z_{sfc}}$$

$$\frac{[\theta]}{z} = \frac{(Temdif - sysbias)}{Elediff} * elevation * dayl / 24$$

$$\frac{\theta^*}{\Delta z_{sfc}} = (2.7 + 0.46\beta) * Cos(aspect) * Sin(slope) * (1 + b_1 N^{b_2}) * (Dayl / 24)$$

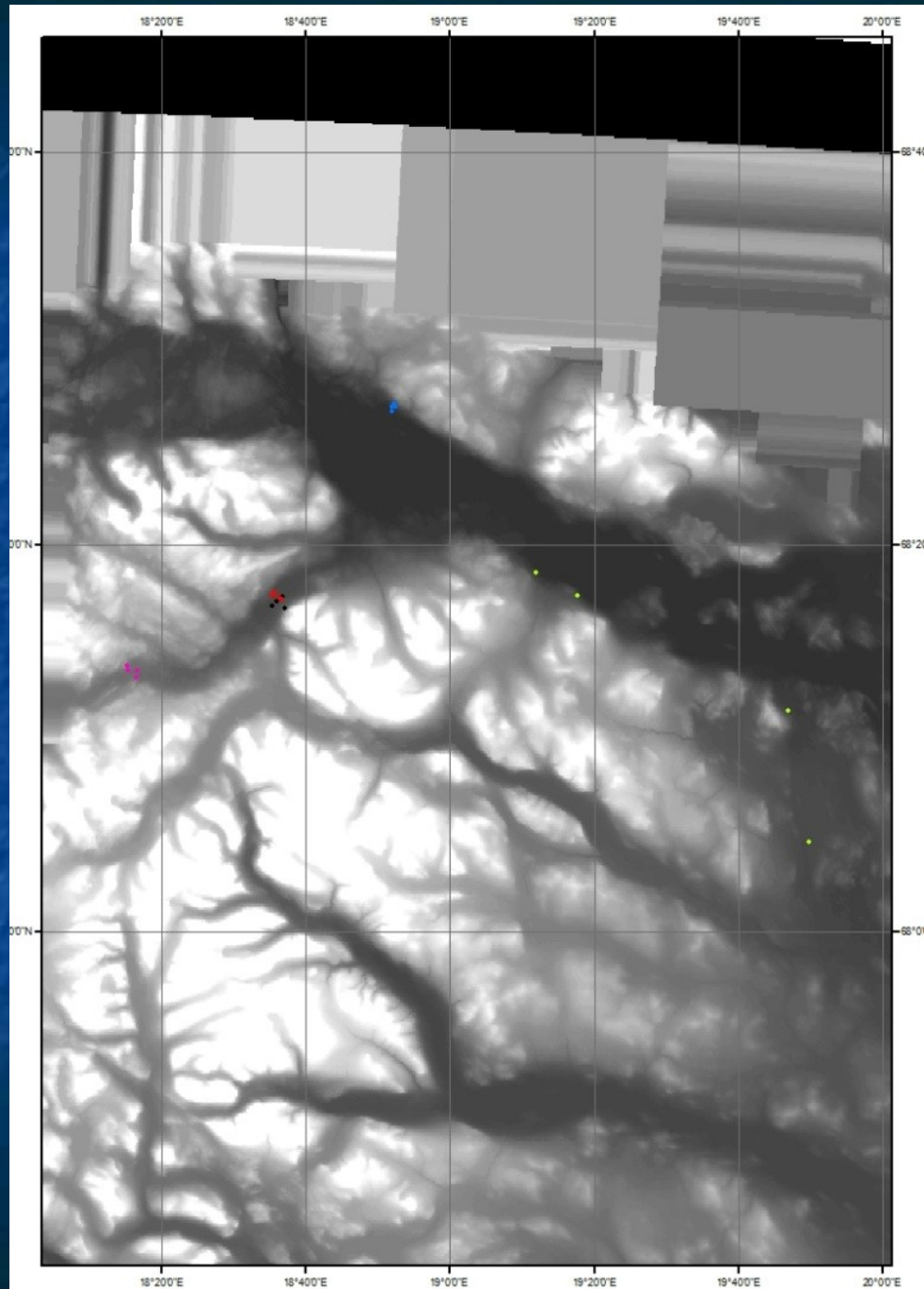
$$Tem_{grid} = T_{stat} + \frac{(Temdif - sysbias)}{Elediff} * elevation * Dayl / 24 + (2.7 + 0.46\beta) * Cos(aspect) * Sin(slope) * (1 + b_1 N^{b_2}) * (Dayl / 24)$$

Temperature redistribution on meters scale



Calibration and validation- Future work

- Calibration need to be done
- Field work is designed to test the variation of temperature according to the distance to the Törnetrask lake.



Sep 21, 2008